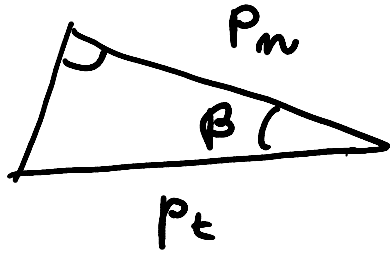


## RADIALNI IN NORMALNI PROFIL OTOBJA



$$P_m = P_t \cdot \cos \beta \Rightarrow P_t = \frac{P_m}{\cos \beta} \begin{array}{l} \text{normalni} \\ \text{razderek} \end{array}$$

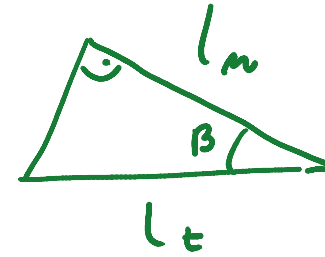
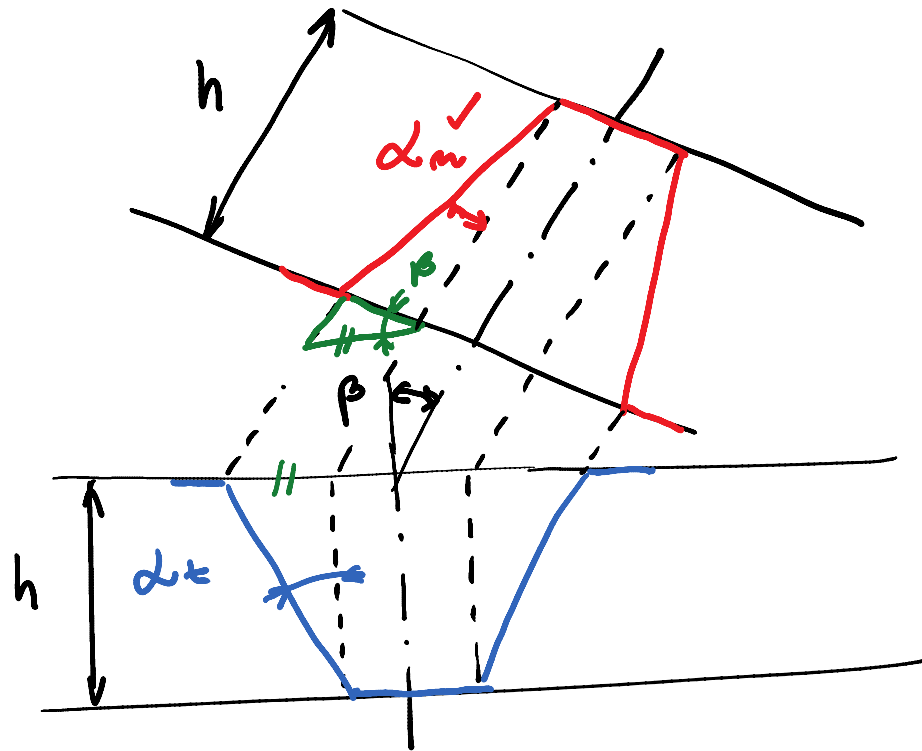
|  
radialni razderek

$$P_t = S_t + e_t \quad ; \quad P_m = S_m + e_m$$

$$S_t + e_t = \frac{S_m}{\cos \beta} + \frac{e_m}{\cos \beta} \Rightarrow S_t = \frac{S_m}{\cos \beta}$$

$$P_m = M_m \cdot \bar{u} \quad ; \quad P_t = M_t \cdot \bar{u} \quad e_t = \frac{e_m}{\cos \beta}$$

$$M_t \cdot \bar{u} = \frac{M_m \cdot \bar{u}}{\cos \beta} \Rightarrow M_t = \frac{M_m}{\cos \beta}$$



$$l_t = \frac{l_n}{\cos \beta}$$

$$\operatorname{tg} \alpha_n = \frac{l_n}{h}$$

$$\operatorname{tg} \alpha_t = \frac{l_t}{h}$$

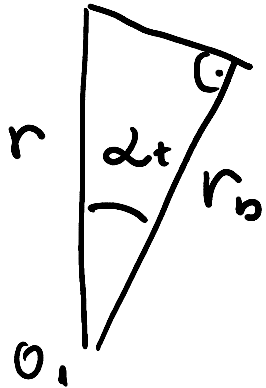
$$\operatorname{tg} \alpha_t = \frac{\operatorname{tg} \alpha_n}{\cos \beta}$$

$$h \cdot \operatorname{tg} \alpha_t = \frac{h \operatorname{tg} \alpha_n}{\cos \beta}$$

$$\alpha_n = 20^\circ \quad \beta = 0 \Rightarrow \alpha_n = \alpha_t = \alpha$$

$\alpha_n, m_n, \beta \rightarrow$  OSTALE VELIČINE RADIALNEGA PROFILA

$$d = m_t \cdot z = \frac{M_m}{\cos \beta} z$$



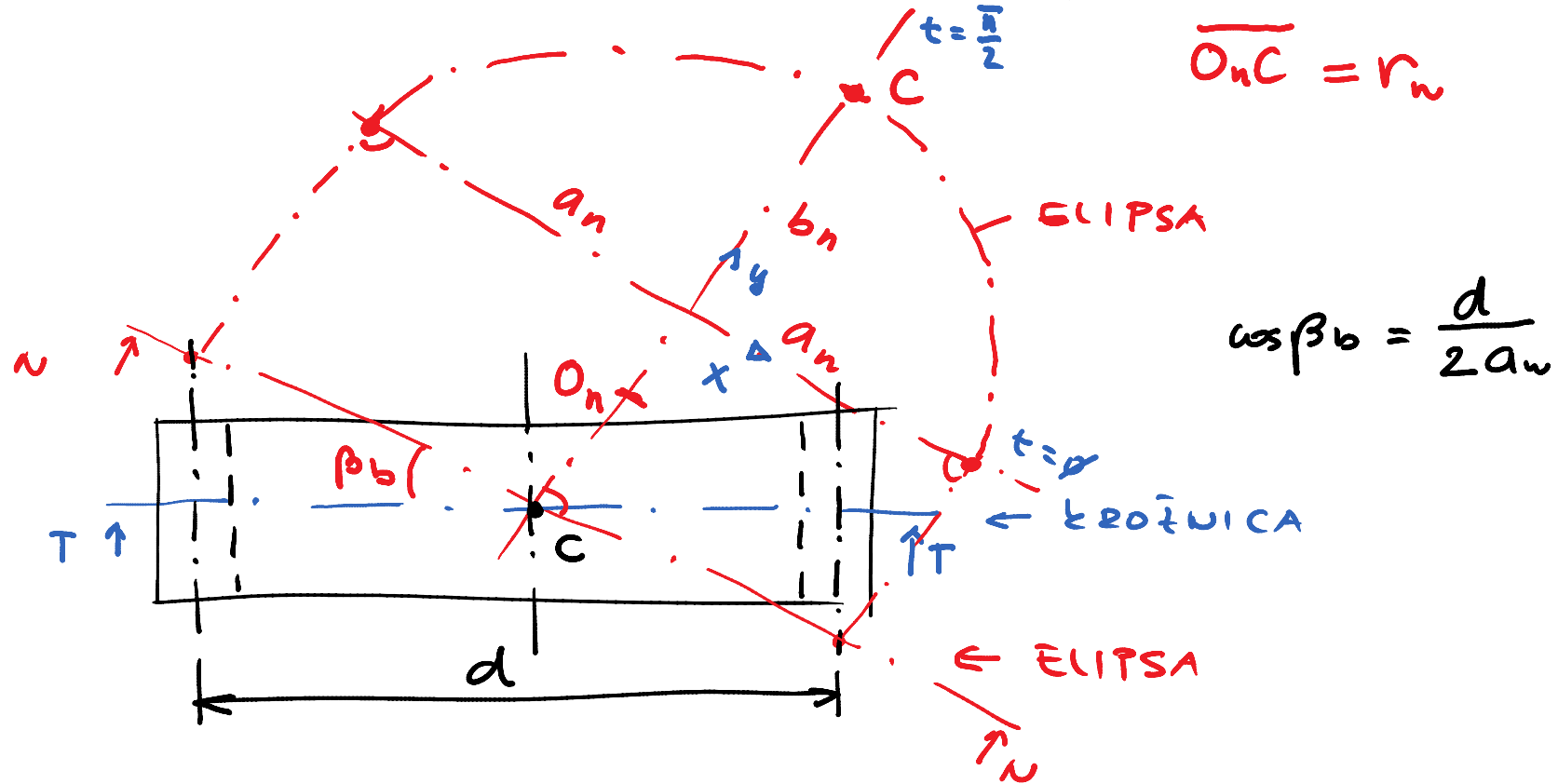
$$r_b = r \cdot \cos \delta_t \quad | \cdot 2$$

$$d_b = d \cdot \cos \delta_t$$

$$d_a = d + 2 h_a$$

$$d_f = d - 2 h_f$$

# NADO MESTNO ŠTEVILO TOB



IŠČENO RADIUS VEŽIČENOSTI V TOČKI C

$$a_n = \frac{d}{2 \cos \beta_b}$$

$$b_n = \frac{d}{2}$$

$$M_z = \frac{M_n}{\cos \beta}$$

$$r = \frac{|x'^2 + y'^2|^{\frac{3}{2}}}{\begin{vmatrix} x' & y' \\ x'' & y'' \end{vmatrix}}$$

$$x = a_n \cdot \cos t$$

$$y = b_n \cdot \sin t$$

$$x' = -a_n \cdot \sin t$$

$$y' = b_n \cdot \cos t$$

$$x'' = -a_n \cos t$$

$$y'' = -b_n \sin t$$

$$t = \frac{\pi}{2}$$

$$x' = -a_n ; y' = 0 ; x'' = 0 ; y'' = -b_n$$

$$r_n = \frac{|a_n^2|^{\frac{3}{2}}}{a_n \cdot b_n} = \frac{a_n^3}{a_n \cdot b_n} = \frac{a_n^2}{b_n} = \frac{d^2}{4 \cos^2 \beta_0} \cdot 2$$

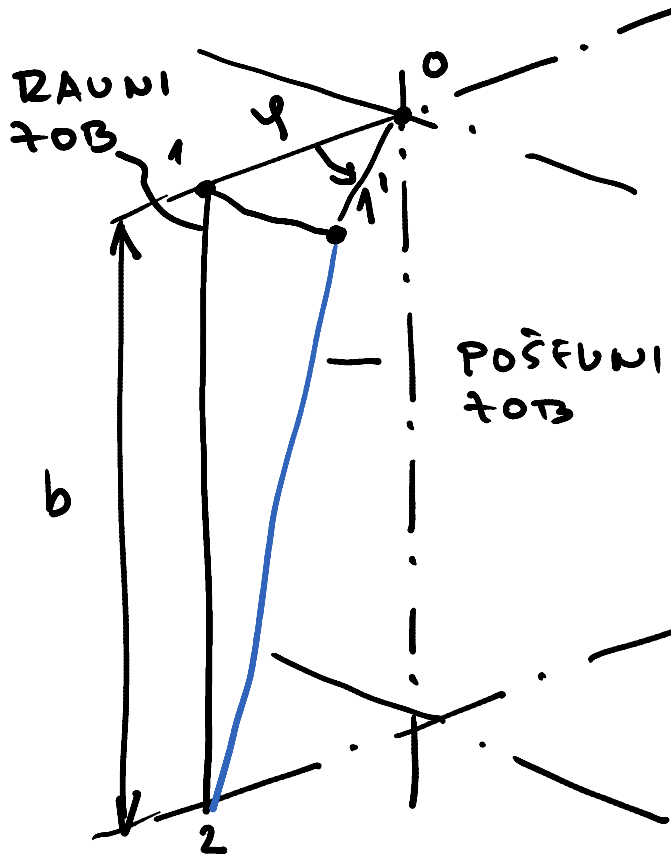
$$2r_n = \frac{d}{\cos^2 \beta_0} = d_n = m_n z_n = \frac{m_t z}{\cos^2 \beta_0} = \frac{m_n z}{\cos^2 \beta_0 \cos \beta}$$

$$z_n = \frac{z}{\cos^2 \beta_b \cos \beta}$$

UADOMEŠINO ŠTEVILLO  $\gamma$  OB

$$\overline{10} = r_y$$

$$\overline{11'} = r_y \cdot \gamma$$



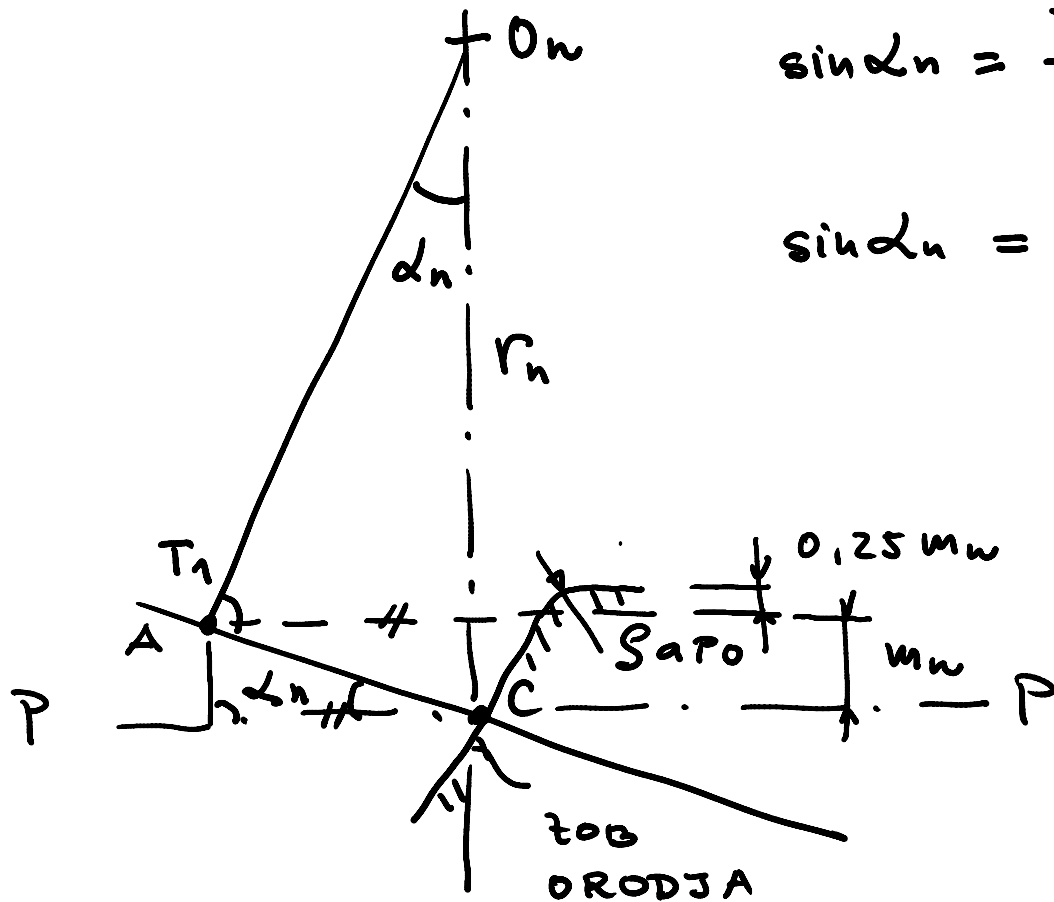
$$\tan \beta_y = \frac{r_y \gamma}{b}$$

$$\tan \beta = \frac{r_y}{b}$$

$$\tan \beta_y = \frac{r_y}{r} \tan \beta$$

$$\tan \beta_b = \frac{d_b}{a} \tan \beta$$

17 PODREK TOBNEGA KORENA IN MEJNO ŠTEVILO TOB



$$\sin \alpha_n = \frac{\overline{T_n C}}{r_n} = \frac{m_n}{\overline{T_n C}}$$

$$\sin \alpha_n = \frac{m_n}{\overline{T_n C} \cdot \sin \alpha_n}$$

$$\sin^2 \alpha_n = \frac{2 m_n}{d_n}$$

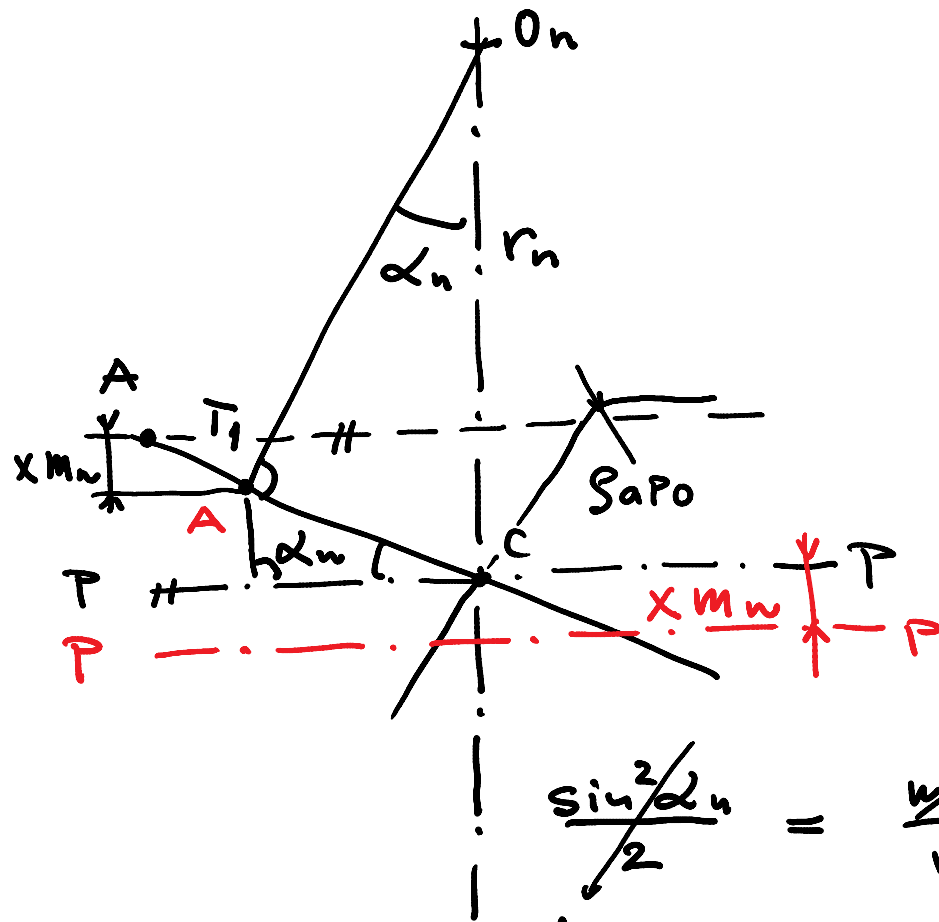
$$\frac{\sin^2 \alpha_n}{2} = \frac{m_n}{m_n \cdot z_n}$$

$$z_n = \frac{2}{\sin^2 \alpha_n} = \frac{z_g}{\cos^2 \beta_b \cos \beta}$$

$$\beta = \phi \rightarrow \beta_b = \phi \rightarrow z_g = 17$$

$$z_g = \frac{2 \cos^2 \beta_b \cdot \cos \beta}{\sin^2 \alpha_n}$$

# PREMIJ PROFILA OSNOVNE TOBNICE



X STOPNJA PROFILEGA POMIKA

$x m_n$  PROFILNI POMIK

$$\sin \alpha_n = \frac{\overline{T_1 C}}{r_n}$$

$$\sin \alpha_n = \frac{m_n - m_n x}{\overline{T_1 C}}$$

$$\sin \alpha_n = \frac{m_n (1 - x)}{r_n \sin \alpha_n}$$

$$\sin^2 \alpha_n = \frac{m_n (1 - x)^2}{d_n}$$

$$\frac{\sin^2 \alpha_n}{2} = \frac{m_n (1 - x)}{m_n \cdot z_n}$$

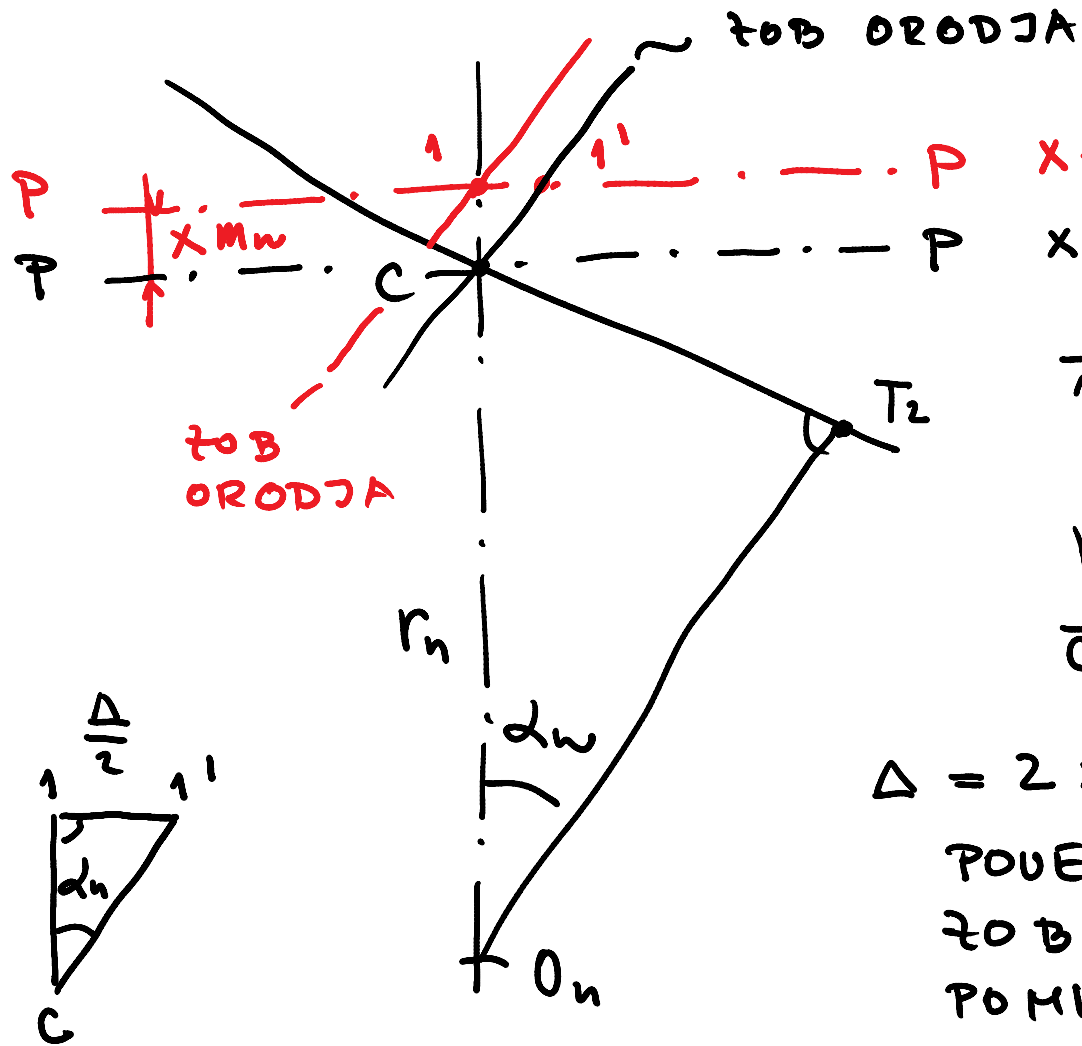
$$\frac{1}{17}$$

$$\frac{z_n}{17} = 1 - x$$

$$x = 1 - \frac{z_n}{17} = x_{\min}$$



# DEBELINA ŽOBA IN ŠIRINA MEDŽOBNÉ URTECI



X-TA ŽOBNISKA DUOJICA

X-NIČTA ŽOBNISKA DUOJICA

$$\overline{11'} = \frac{\Delta}{2}$$

$$\operatorname{tg} \alpha_n = \frac{\Delta}{2 x m_n}$$

$$\overline{C1} = x \cdot m_n$$

$$\Delta = 2 x m_n \operatorname{tg} \alpha_n$$

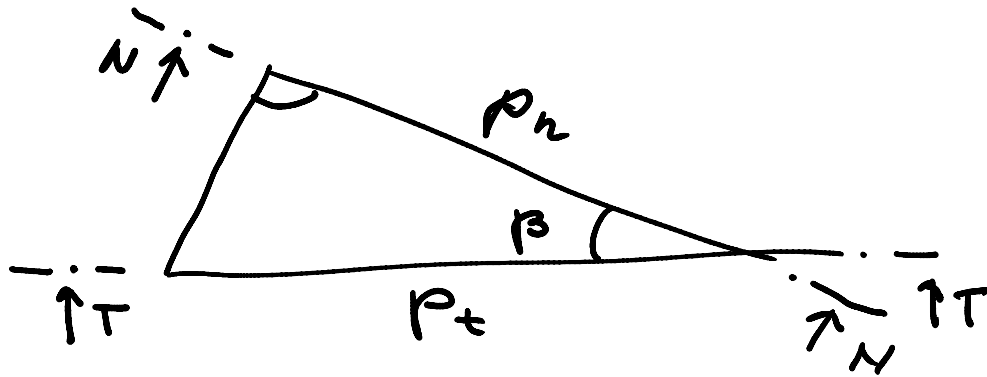
POVEČANJE DEBELINE

ŽOBA ŽARADI PROFILNEGA

POMIKA

$$S_n = \frac{P_n}{2} + 2 \times m_w \tan \alpha_w$$

$$e_n = \frac{P_w}{2} - 2 \times m_w \tan \alpha_w$$



$$S_n = m_w \left( \frac{H}{2} + 2 \times \tan \alpha_w \right)$$

$$e_n = m_w \left( \frac{H}{2} - 2 \times \tan \alpha_w \right)$$

$$S_t = m_t \left( \frac{H}{2} + 2 \times \tan \alpha_w \right)$$

$$e_t = m_t \left( \frac{H}{2} - 2 \times \tan \alpha_w \right)$$

$$m_t = \frac{m_w}{\cos \beta}$$

$$P_n = m_w \cdot \bar{u}$$

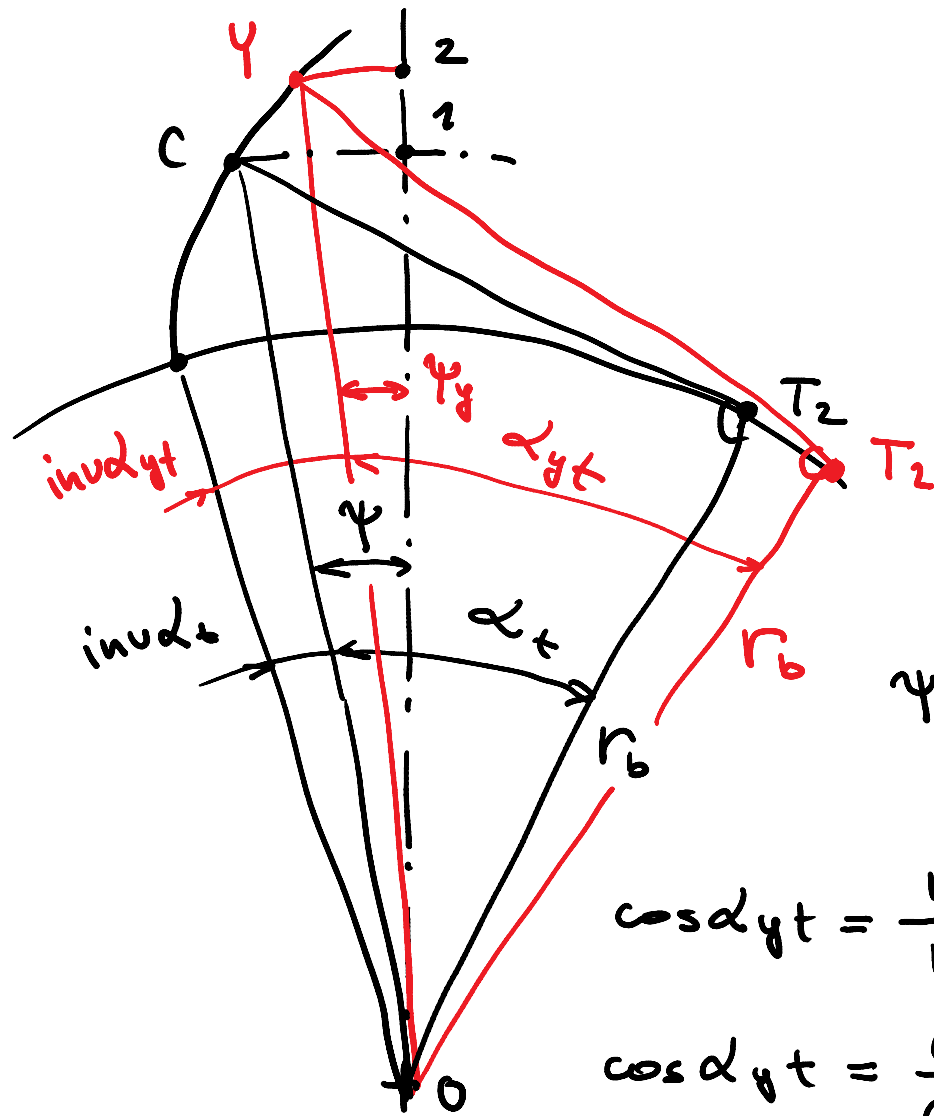
$$\cos \beta = \frac{P_n}{P_t}$$

$$P_t = m_t \cdot \bar{u}$$

$$P_t = \frac{P_n}{\cos \beta}$$

$$S_t = \frac{S_n}{\cos \beta}$$

$$e_t = \frac{e_n}{\cos \beta}$$



$$\overline{OC} = r ; \widehat{C1} = \frac{S_t}{2}$$

$$\frac{S_t}{2} = \psi \frac{d}{2}$$

$$\psi = \frac{S_t}{d}$$

$$\overline{O_y T_2} = r_y ; \widehat{y2} = \frac{S_{yt}}{2}$$

$$\frac{S_{yt}}{2} = \psi_y \cdot \frac{d_y}{2}$$

$$\psi_y = \psi - (\text{inu } d_{yt} - \text{inu } d_t)$$

$$= \psi + \text{inu } d_t - \text{inu } d_{yt}$$

$$\cos \alpha_{yt} = \frac{r_b}{r_y} ; \cos \alpha_t = \frac{r}{r_b}$$

$$\cos \alpha_{yt} = \frac{d}{d_y} \cos \alpha_t$$

$$S_{yt} = d_y \cdot \Psi_y = d_y (\eta + \text{inv}\alpha_t - \text{inv}\alpha_{yt})$$

$$S_{yt} = d_y \left( \frac{S_t}{d} + \text{inv}\alpha_t - \text{inv}\alpha_{yt} \right)$$

$$P_{yt} = S_{yt} + E_{yt}$$

$$P_t \frac{d_y}{d} = S_{yt} + E_{yt}$$

$$E_{yt} = P_t \frac{d_y}{d} - S_{yt}$$

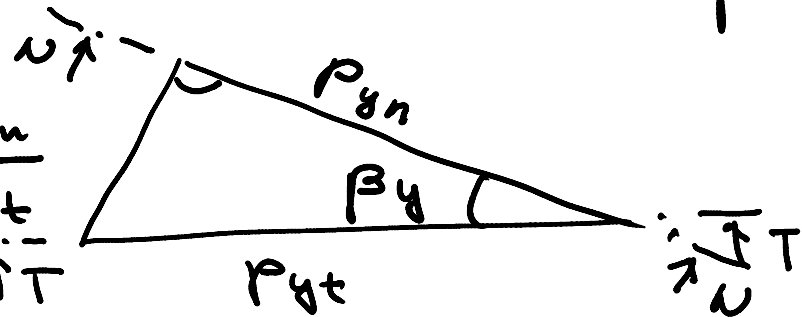
$$P_t z = \pi d$$

$$P_{yt} z = \pi d_y$$

$$\frac{P_{yt}}{P_t} = \frac{d_y}{d}$$

$$P_t = m_t \cdot \pi = \frac{m_w \cdot \pi}{\cos \beta}$$

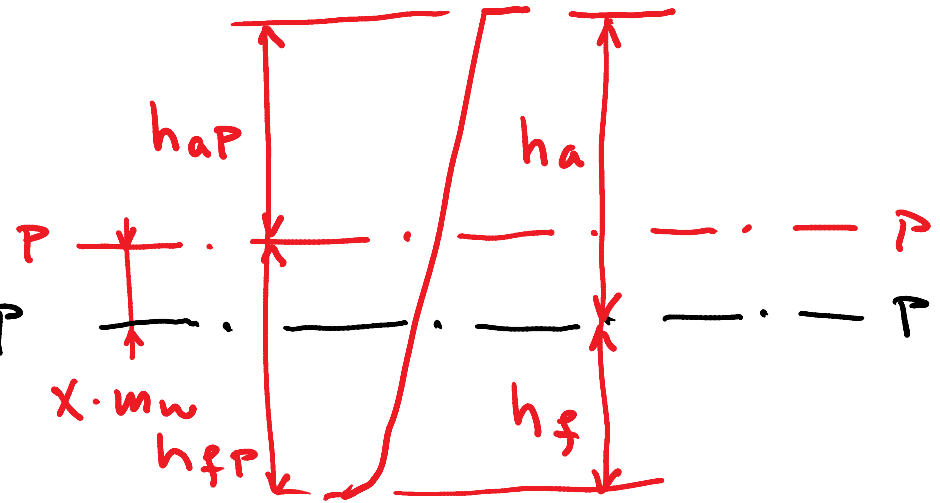
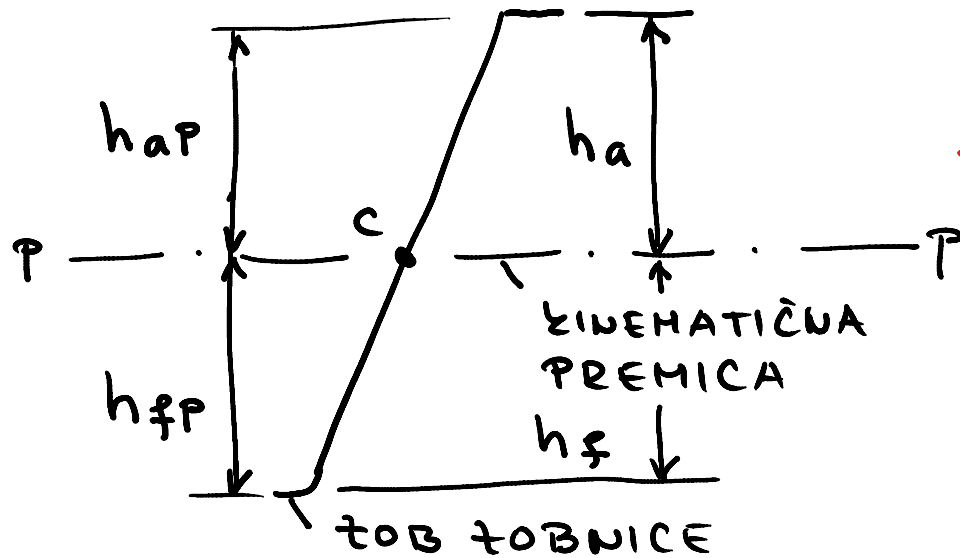
$$\cos \beta_y = \frac{P_{yn}}{P_{yt}} = \frac{E_{yn}}{E_{yt}} = \frac{S_{yn}}{S_{yt}}$$



$$S_{yn} = S_{yt} \cdot \cos \beta_y$$

$$P_{yn} = P_{yt} \cdot \cos \beta_y$$

# VIŠINA TOBNEGA KORENA IN TOBNEGA URHA



X-TA TOBNIŠKA DUOJICA

$$h_a = h_{aP} + X m_w + k \quad ?$$

$$h_f = h_{fP} - X \cdot m_w$$

k KOREKCIJA TOBNEGA URHA

X-NIČTA TOBNIŠKA DUOJICA

$$h_a = h_{aP} = m_w$$

$$h_f = h_{fP} = m_w + C_p^* m_w$$

$$C_p = C_p^* m_w = 0,25 m_w \quad \text{TEHENSKI RAČSTOP}$$

PRIMER V7NOŽNEGA IN TEMENSLÉGA ŽROKA

$$d_f = d - 2h_f$$

$$d_a = d + 2h_a$$

HEJNE UREDNOSTI KOEFICIENTA  
PROFILNEGA POMIKA

$$S_{am} \geq 0.2 \text{ mm}$$

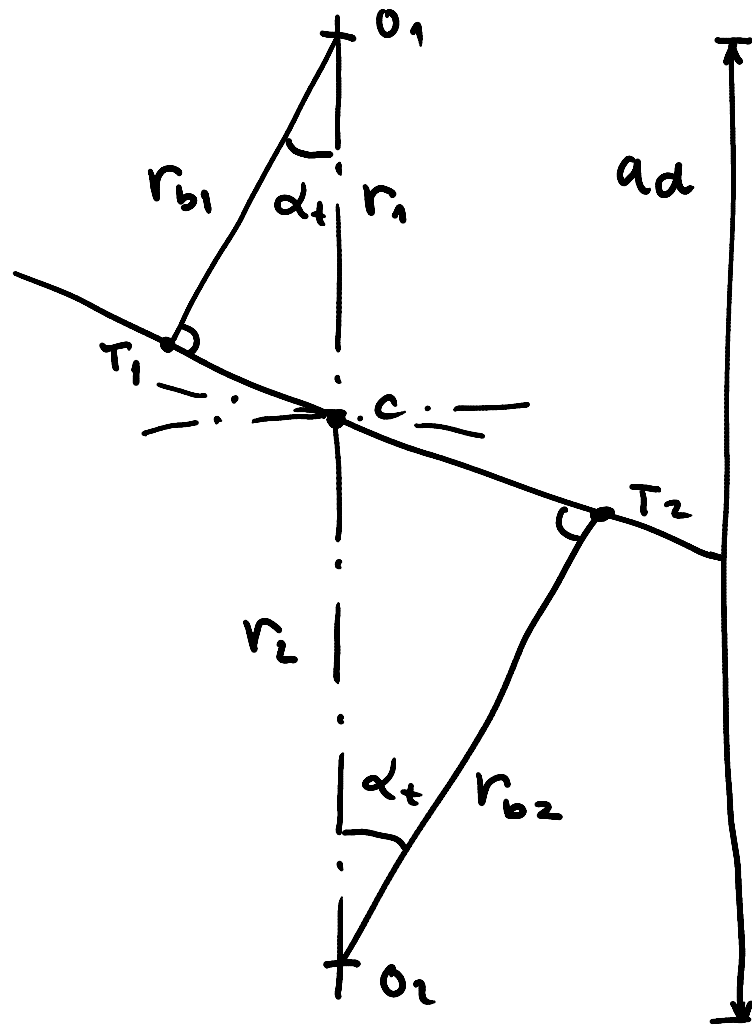
X-NIČTE IN X-TE TOBNIŠÉ DUOJICE

$$X\text{-NIČTA} \Rightarrow x_1 = \emptyset \wedge x_2 = \emptyset$$

$$X\text{-TA} \Rightarrow x_1 \neq \emptyset \vee x_2 \neq \emptyset$$

$$x_1 = -x_2 \text{ POSEBEN PRIMER}$$

# MEDOSNI RAZMIR X-NIČTE TOBNIŠKE DUOJICE



$$a_d = \frac{d_1 + d_2}{2} = \frac{m_t (\tau_1 + \tau_2)}{2}$$

$$a_a = \frac{m_n (\tau_1 + \tau_2)}{2 \cos \beta}$$

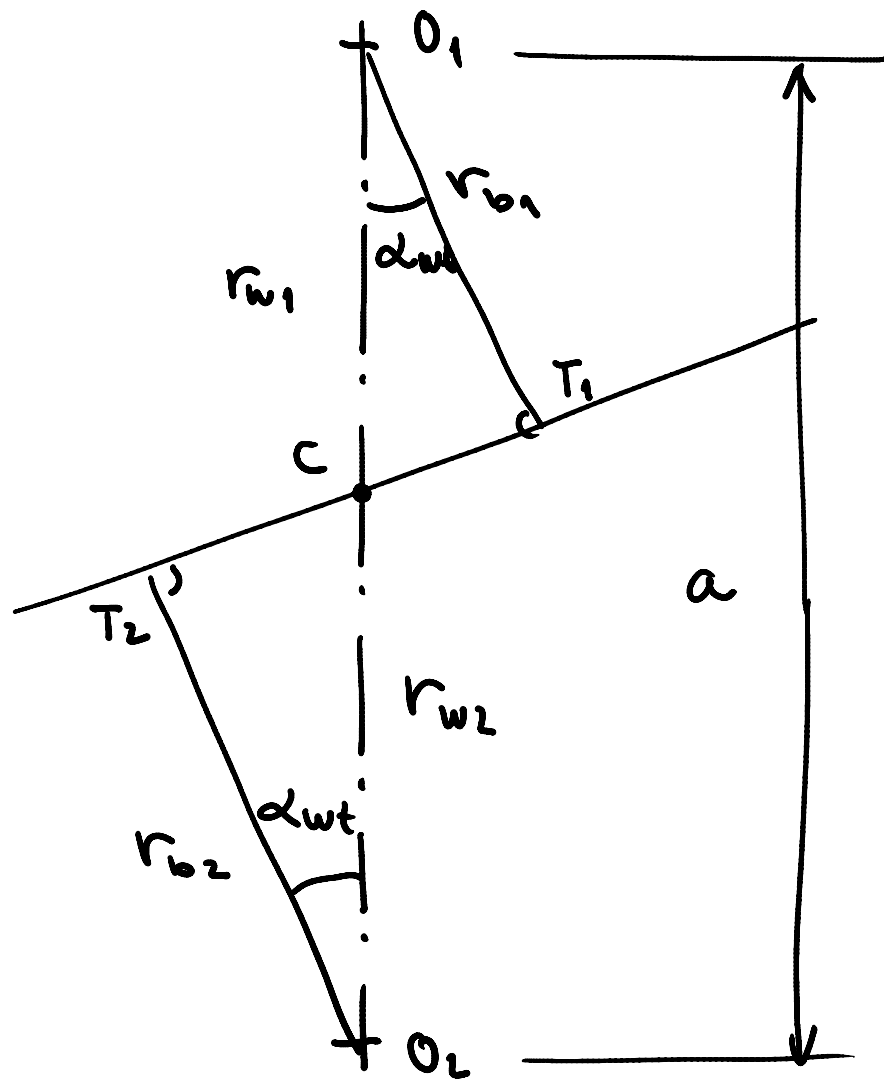
$$d_1 = d_{w1}$$

$$d_2 = d_{w2}$$

$d_w$  PREMER KINEMATIČNEGA  
KROGA







$$a = \frac{d_{w1} + d_{w2}}{2}$$

$$\cos d_{w1} = \frac{r_{b1}}{r_{w1}}$$

$$\cos d_t = \frac{r_{b1}}{r_1}$$

$$r_{w1} = \frac{r_{b1}}{\cos d_{w1}} = r_1 \cdot \frac{\cos d_t}{\cos d_{w1}}$$

$$d_{w1} = d_1 \cdot \frac{\cos d_t}{\cos d_{w1}}$$

$$d_{w2} = d_2 \cdot \frac{\cos d_t}{\cos d_{w2}}$$

$$a = \frac{d_{w1} + d_{w2}}{2} = \frac{d_1 + d_2}{2} \cdot \frac{\cos \alpha_t}{\cos \alpha_{wt}} = a_d \frac{\cos \alpha_t}{\cos \alpha_{wt}}$$

$\alpha_{wt}$  VPADNI KOT RADIJALNEGA PROFILA NA  
KINEMATIČNEM KROGU

UPADNI ŠOT RADIJALNEGA PROFILA NA KINEMATIČNEM  
ŠROGU

$$a_d = \frac{m_n (z_1 + z_2)}{2 \cos \beta}$$

$$a = \frac{m_n (z_1 + z_2)}{2 \cos \beta} \frac{\cos \alpha_t}{\cos \alpha_w t}$$

a JE ZNAN

$$\cos \alpha_w t = \frac{m_n (z_1 + z_2) \cos \alpha_t}{2 a \cos \beta}$$

a NI TANAN

$$S_{w1} = E_{w2} ; S_{w2} = E_{w1}$$

$$P_{w1} = S_{w1} + E_{w1} = S_{w1} + S_{w2} = P_{w2}$$

$$S_{yt} = dy \left( \frac{S_t}{d} + inu_{dt} - inu_{dyt} \right) \quad \blacksquare$$

$$S_t = m_t \left( \frac{\bar{u}}{2} + 2 \times t_{y} \alpha u \right) \quad \blacksquare$$

$$P_{w1} \cdot z_1 = \bar{\pi} dw_1 \rightarrow P_{w1} = \frac{\bar{\pi} dw_1}{z_1} ; \frac{z_2}{z_1} = \frac{dw_2}{dw_1}$$

$$P_{w2} \cdot z_2 = \bar{\pi} dw_2 \rightarrow \frac{P_{w1} \cdot z_1}{P_{w2} \cdot z_2} = \frac{\bar{\pi} dw_1}{\bar{\pi} dw_2}$$

$$\frac{\bar{u} dw_1}{z_1} = dw_1 \left( \frac{S_{t1}}{d_1} + i\nu d_t - i\nu d_w t \right) + dw_2 \left( \frac{S_{t2}}{d_2} + i\nu d_t - i\nu d_w t \right)$$

$$\frac{\bar{u}}{z_1} = \frac{S_{t1}}{d_1} + i\nu d_t - i\nu d_w t + \frac{z_2}{z_1} \left( \frac{S_{t2}}{d_2} + i\nu d_t - i\nu d_w t \right)$$

$$\bar{u} = \cancel{z_1} \frac{S_{t1}}{m_t \cdot \cancel{z_1}} + z_1 (i\nu d_t - i\nu d_w t) + \cancel{z_2} \frac{S_{t2}}{m_t \cdot \cancel{z_2}} + z_2 (i\nu d_t - i\nu d_w t)$$

$$\bar{u} = (z_1 + z_2) (i\nu d_t - i\nu d_w t) + \frac{\bar{u}}{2} + 2x_1 \text{tg} \alpha_w + \frac{\bar{u}}{2} + 2x_2 \text{tg} \alpha_w$$

$$2(x_1 + x_2) \text{tg} \alpha_w = (z_1 + z_2) (i\nu d_w t - i\nu d_t)$$

$$i\nu d_w t = \frac{2(x_1 + x_2) \text{tg} \alpha_w}{z_1 + z_2} + i\nu d_t$$

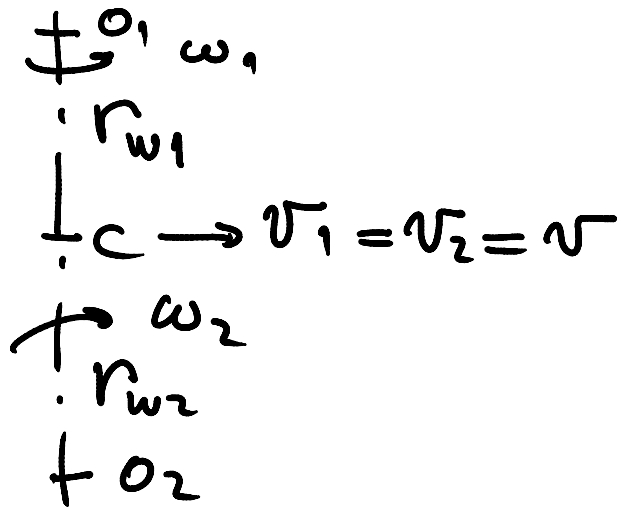
ΥΣΟΤΑ ΚΟΕΦΙCΙΕΝΤΟΥ ΠΡΟΦΙΛΝΗ ΡΟΜΙΣΟΥ

$$X_1 + X_2 = \frac{(z_1 + z_2) (i \nu \alpha_{wt} - i \nu \alpha_+)}{2 \operatorname{tg} \alpha_w}$$

NEOBČUTLJIVOST EVOLVENTNEGA OTOBJA NA SPREMEMBO  
 PROFILNEGA POMIKA

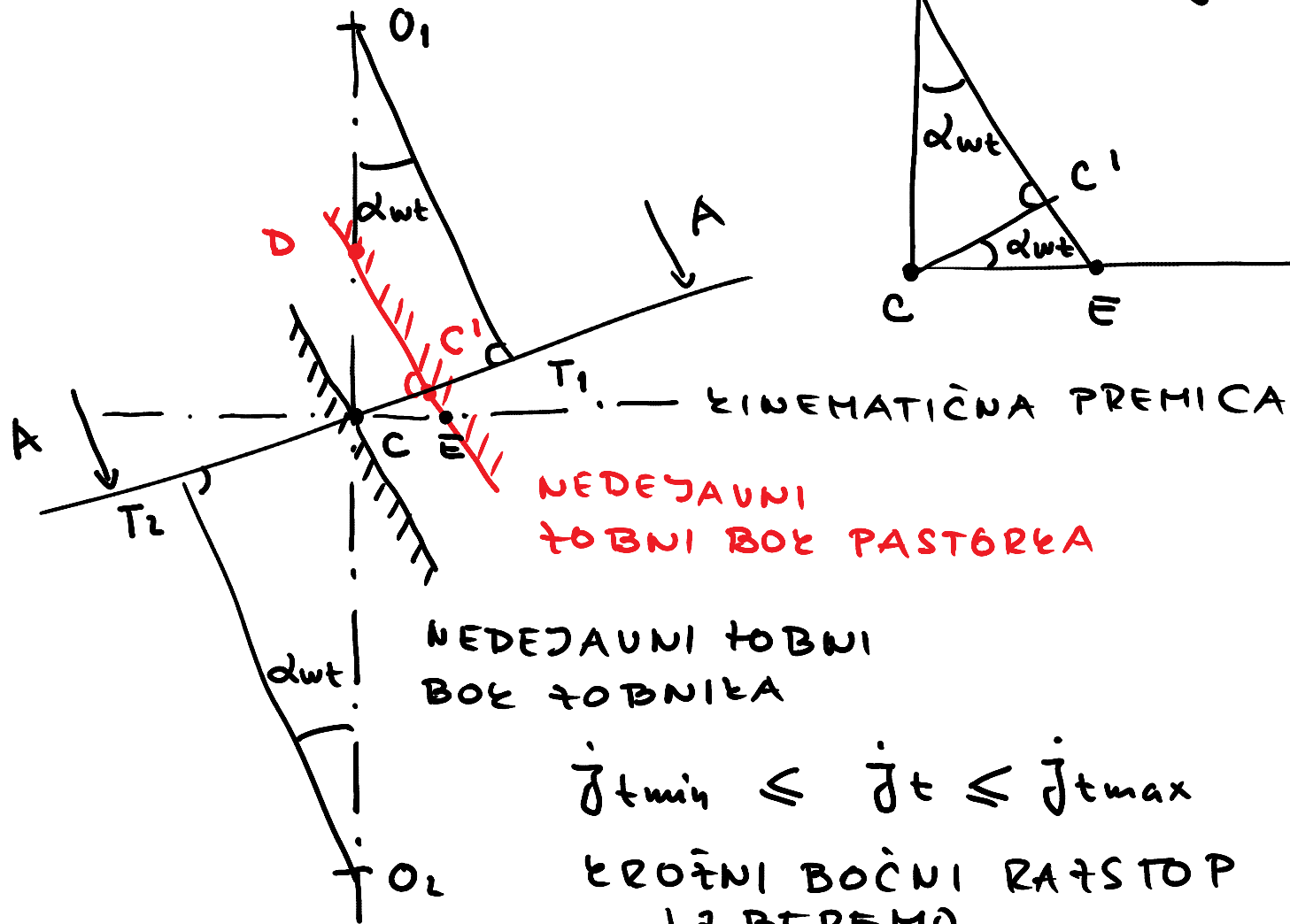
$$i = \frac{\omega_1}{\omega_2} = \frac{r_{w2}}{r_{w1}} = \frac{r_{b2}}{\cancel{\cos\phi_w t}} \frac{\cancel{\cos\phi_w t}}{r_{b1}} = \frac{r_{b2}}{r_{b1}} = \text{const}$$

$$v_1 = \omega_1 \cdot r_{w1} = \omega_2 \cdot r_{w2} = v_2 = v$$





BOČNI RAŠTOP



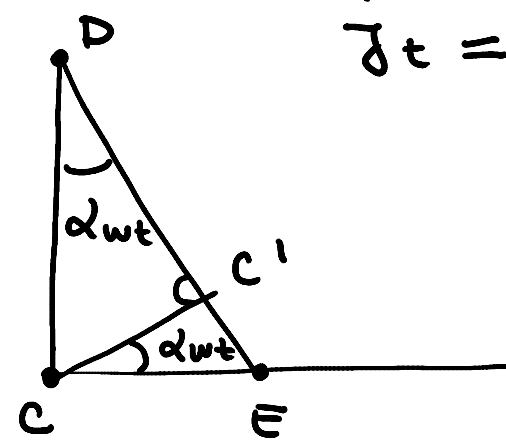
NEDEJAUNI  
TOBNI BOE PASTORKA

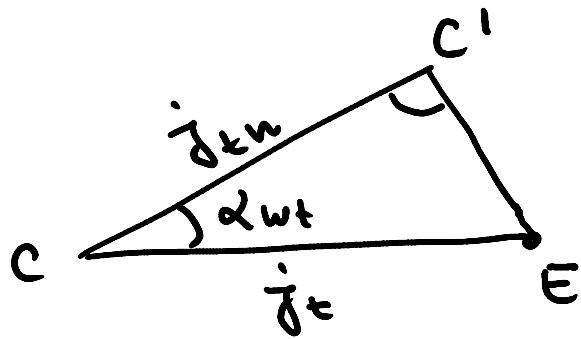
NEDEJAUNI TOBNI  
BOE TOBNIKA

$$\dot{j}_{tmin} \leq \dot{j}_t \leq \dot{j}_{tmax}$$

KROŃNI BOČNI RAŠTOP  
I Ž BEREMO

$$\dot{j}_t = \overline{CE}$$





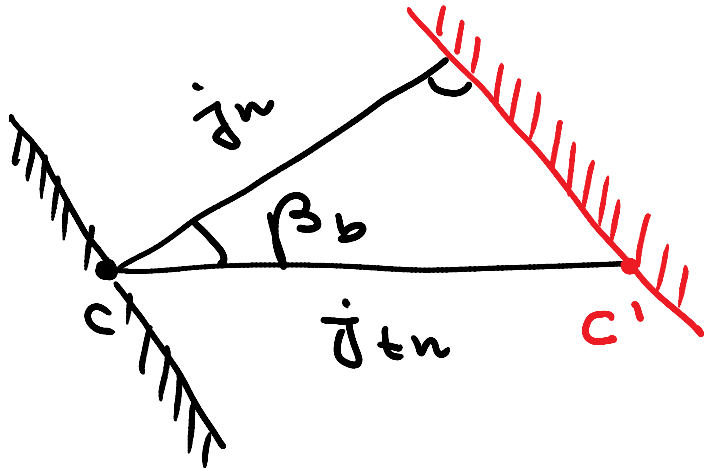
$$\cos \alpha_{wt} = \frac{j_{tn}}{j_t}$$

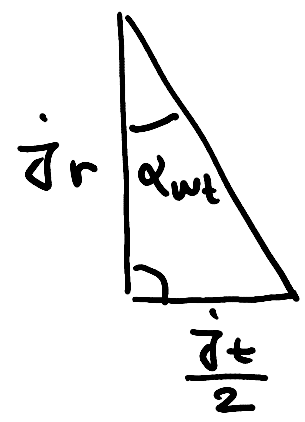
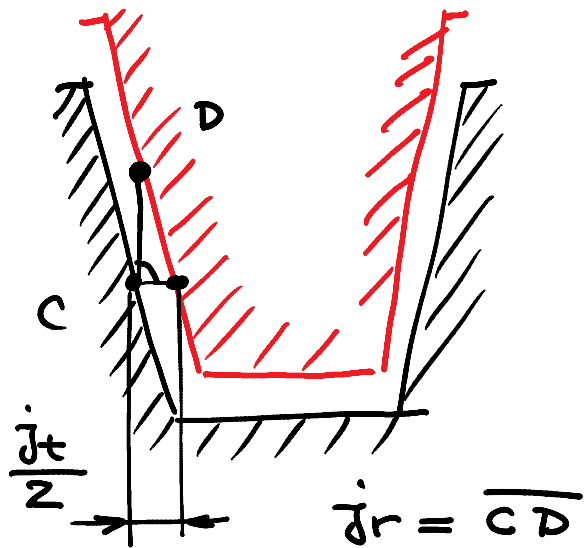
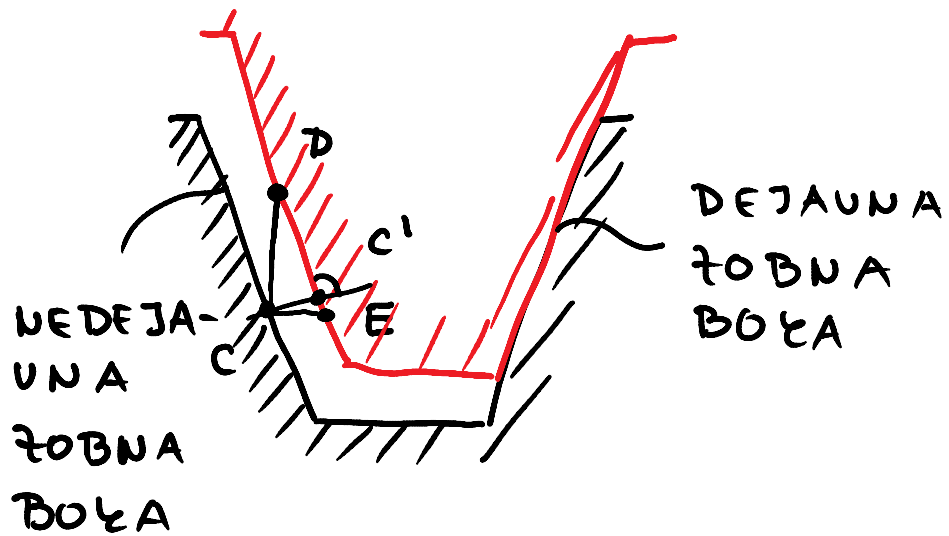
$$j_{tn} = j_t \cdot \cos \alpha_{wt}$$

$$j_n = j_{tn} \cdot \cos \beta_b = j_t \cdot \cos \alpha_{wt} \cos \beta_b$$

NORMALNI BOČNI RAZSTOP

A-A



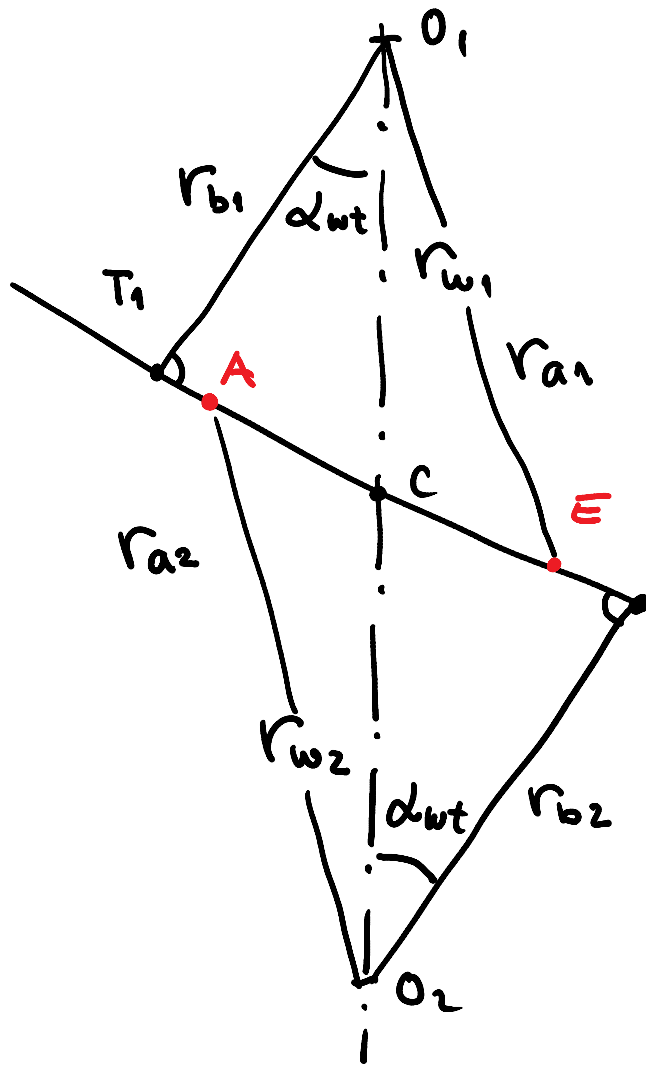


$$\operatorname{tg} \alpha_{wt} = \frac{j_t}{2 j_r}$$

$$j_r = \frac{j_t}{2 \operatorname{tg} \alpha_{wt}}$$

RADIALNI BOČNI RAŽSTOP

# PROFILNA STOPNJA PREZIRVANJA



$$g_a = \overline{CE} = \overline{T_1E} - \overline{T_1C}$$

17 STOPNA UBIRNICA

$$g_a = \sqrt{r_{a1}^2 - r_{b1}^2} - r_{w1} \sin \alpha \omega t$$

$$g_f = \overline{CA} = \overline{T_2A} - \overline{T_2C}$$

USTOPNA UBIRNICA

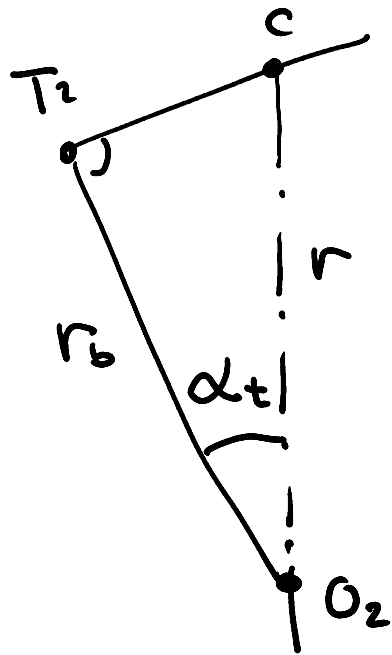
$$T_2 g_f = \sqrt{r_{a2}^2 - r_{b2}^2} - r_{w2} \sin \alpha \omega t$$

$$g_a = g_a + g_f$$

$$g_a = \frac{1}{2} (\sqrt{d_{a1}^2 - d_{b1}^2} + \sqrt{d_{a2}^2 - d_{b2}^2} - 2 a \sin \alpha \omega t)$$

$$\varepsilon_\alpha = \frac{g_\alpha}{P_{bt}} - \text{RAZDELEŃ NA OSNOVNEH KROGU}$$

$$P_{bt} \cdot z = \pi d_b = \pi d \cdot \cos \alpha_t = \bar{u} m_t \cdot z \cos \alpha_t$$



$$\cos \alpha_t = \frac{r_b}{r} \rightarrow r_b = r \cdot \cos \alpha_t$$

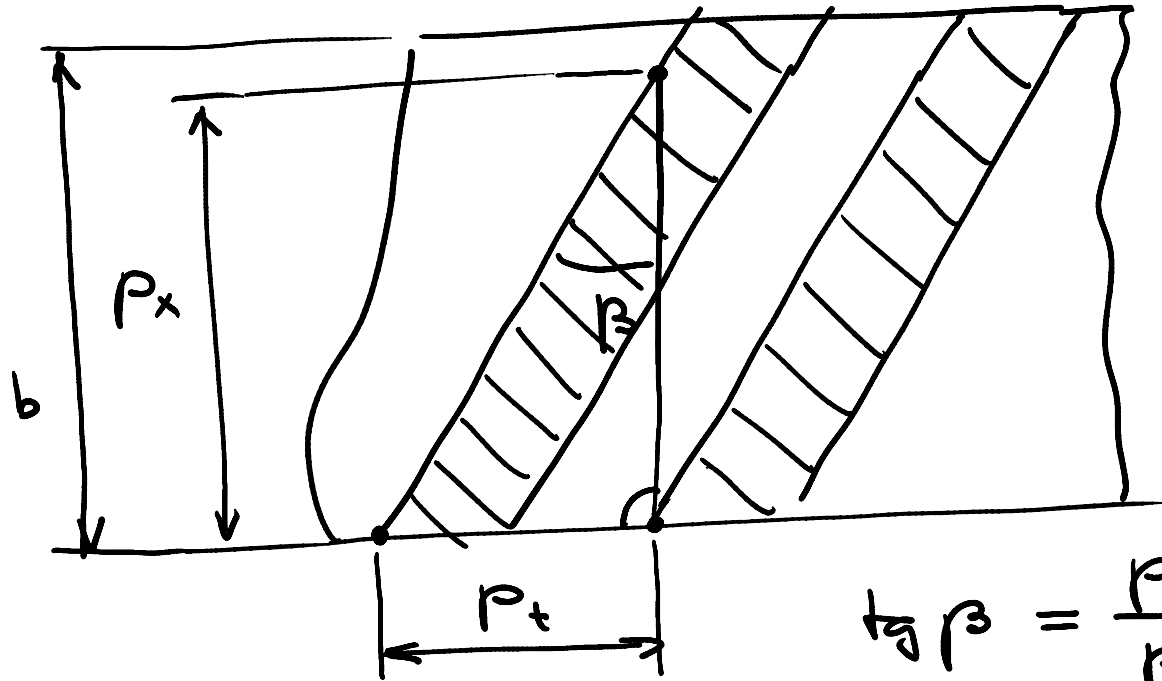
$$d_b = d \cos \alpha_t$$

$$P_{bt} = \bar{u} m_t \cos \alpha_t$$

$$1.1 \leq \varepsilon_\alpha \leq 2$$

# BOČNA STOPNJA PREKRIVANJA

RAZDELNI VALJ RAZVIT  
U RAVNINO



$$\epsilon_{\beta} = \frac{b}{p_x}$$

$$\epsilon_{\beta} = 1, 2, 3, \dots$$

STOPNADOLŽNA  
DOKALNIIH LINIJ  
KONSTANTNA

$$\tan \beta = \frac{p_t}{p_x}$$

$$p_x = \frac{p_t}{\tan \beta}$$

## CELOTNA STOPNJA PREŽIVIANJA

$$\epsilon_f = \epsilon_\alpha + \epsilon_\beta$$

POŠLODBE VALJASTIH TOBNIŠKIH  
DUOTIC

LOM TOBA - TRENUTNI  
- UTRUJENOSTNI

JAMIČENJE - ZAČETNO  
- NAPREDUJOČE

RAZJEDANJE - HLADNO  
- TOPLOTNO

OBRABA - NORMALNA  
- BRUSILNA

# IZDELAVA VALJASTIH TOBNILOU

BREZ ODREŽAVANJA - ULIVANJE  
- ŽUVANJE  
- VLEČENJE  
- SINTRANJE

Z ODREŽAVANJEM - PROFILNO - REŽLANJE  
- PEKANJE  
- STANCANJE  
- KOTALNO - ŠLOBITANJE  
- REŽLANJE  
- PEKANJE