

## VIJAČNI SPOJ

NEPREDNAPETI  
PREDNAPETI  
PRILAGODNI  
GIBALNI

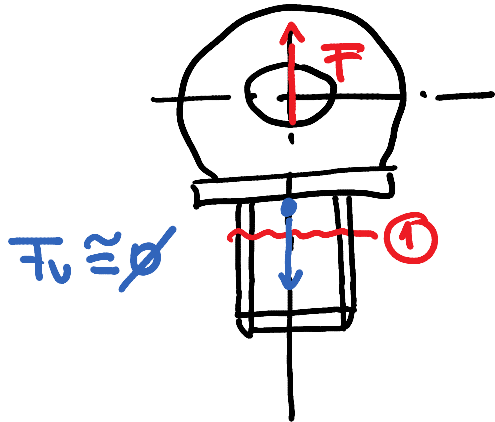
← NI SILE PREDNAPETJA U STEBLU VIJAKE  $F_v$   
← SILA  $F_v > 0$   
VIJAČNI SPOJ

PREDNAPETI VIJAČNI SPOJ PRENAŠA OBREMENITEV  
STRENETEM!  $\equiv$  TOPLO TAVOUANA KOVICA

PRILAGODNI VIJAČNI SPOJ PRENAŠA OBREMENITEV  
Z OBLIKO!  $\equiv$  HLADNO TAVOUANA KOVICA

GIBALNI VIJAK PRENAŠA OBREMENITEV S TOURŠINSKIM  
TLAKOM! VELOM! GONILO

NEPREDNA PETI VIJAZ



ODNESNI VIJAZ

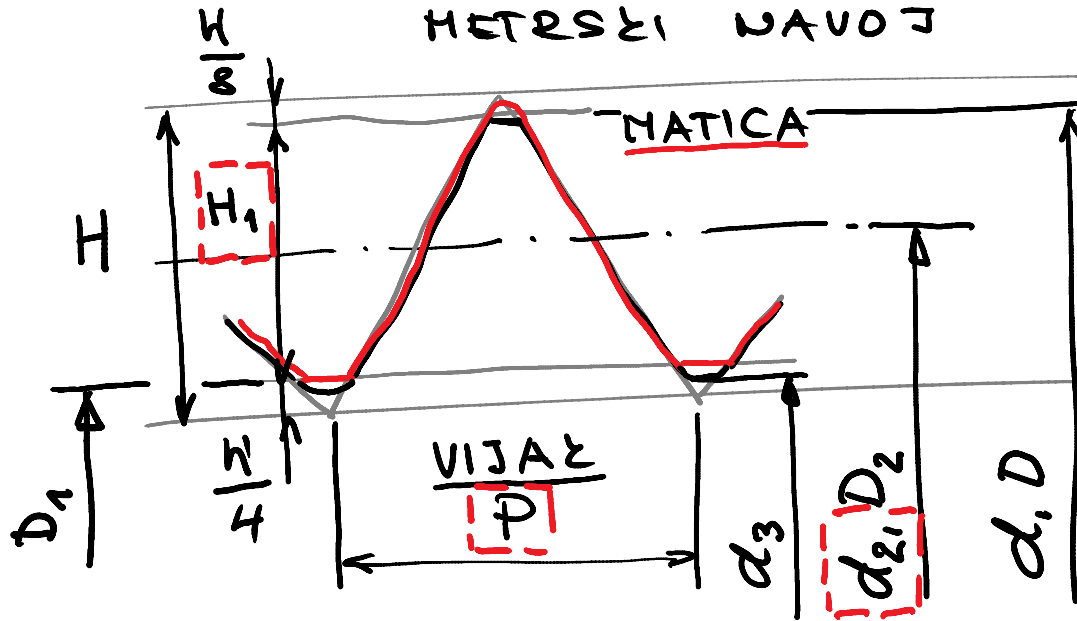
$$A_s = \frac{\pi d_s^2}{4}$$

$$\sigma_1 = \frac{F}{A_s} \leq \sigma_{dop}$$

NOSILNI PREMER NAUOJA VIJAZA

PREDNAPETI VIJAZ

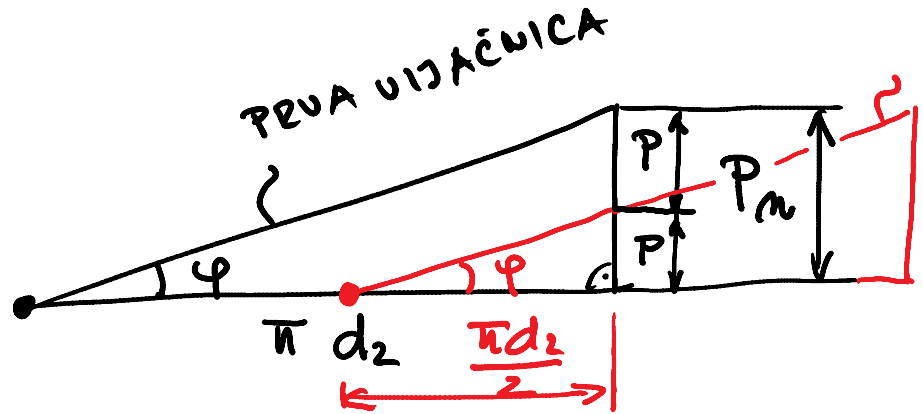
METRSKI NAUOJ

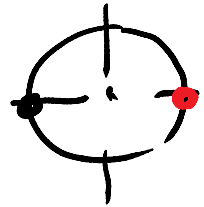


$$d_s > d_3$$

NOSILNI PREMER  
STEBLA VIJAZA

# VIJAČNICA IN ŽORAE NAUOJA

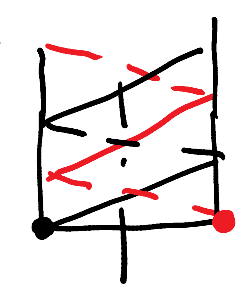


$$\operatorname{tg} \varphi = \frac{P_m}{\pi d_2}$$


$P_m$  - ŽORAE NAUOJA

$$P_m = P \cdot m' \quad \text{ŠT. VIJAČNIC}$$

DELITEU



$$m = 1 \Rightarrow P_m = P$$

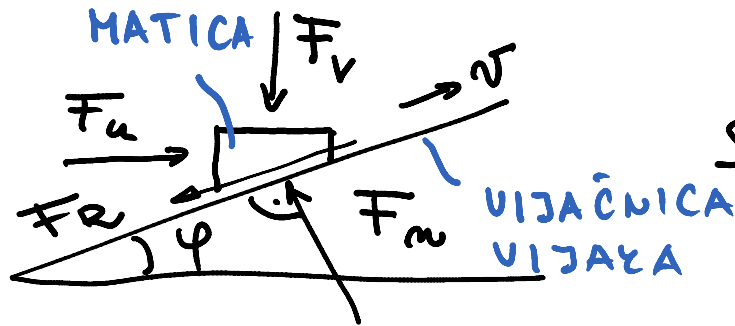
$$\operatorname{tg} \varphi = \frac{P}{\pi d_2}$$

PRVNA PETI VIJAZE  $m = 1$ ;  $P_m = P$

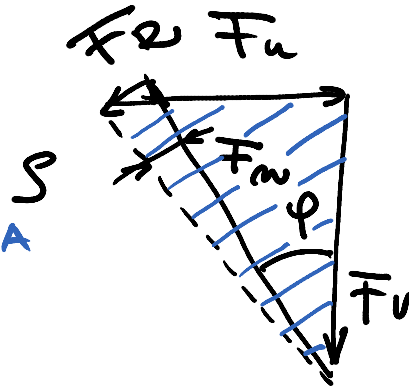
$m > 1$  SAMO ZA GIBALNE VIJAZE

# PRIVIJANJE IN ODVIJANJE VIJAKA TER MOMENT ZLIJUČA

PRIVIJANJE



$$F_u \rightarrow F_v \rightarrow F_m \rightarrow F_r$$

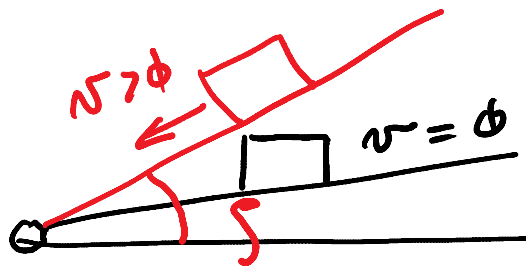


OBODNA  
I SILA

$$\tan(\varphi + \rho) = \frac{F_u}{F_v}$$

SILA  
PREDNAP,  
V VIJAKU

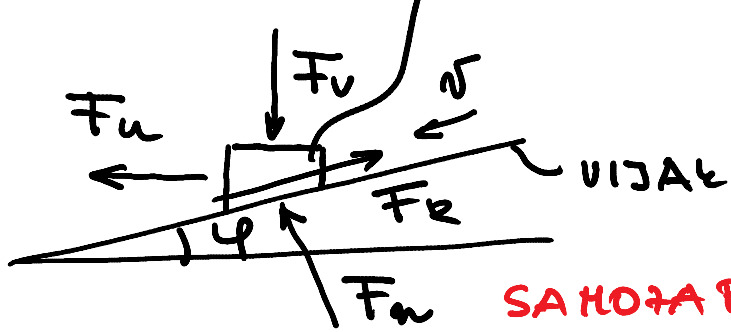
$$\tan \rho = \frac{F_r}{F_m} = \mu - \text{COEFICIENT TREWTA}$$



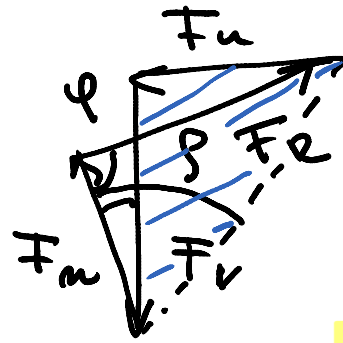
PRIVIJANJE →  
GIBANJE KLADICE  
PO STRMINI NAUGOR

$\rho$  - ZOT SAMOZAPORNOSTI

ODVIJANJE MATICA



SAHOVAPOZNI  
VIJAZ  $\varphi \leq \rho$



$$\operatorname{tg}(\rho - \varphi) = \frac{F_u}{F_v}$$

$$\operatorname{tg}(-\alpha) = -\operatorname{tg} \alpha$$

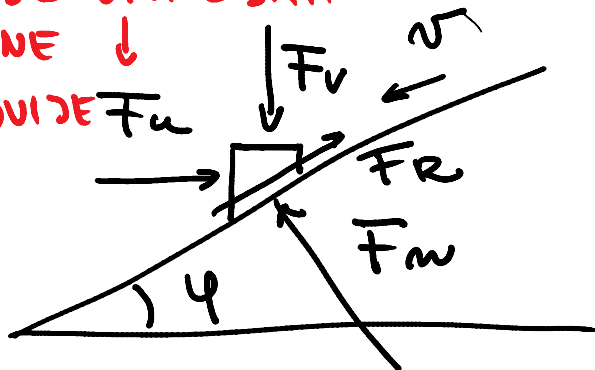
$$\operatorname{tg}(\varphi - \rho) = -\frac{F_u}{F_v}$$

PRI SPIOŠNI

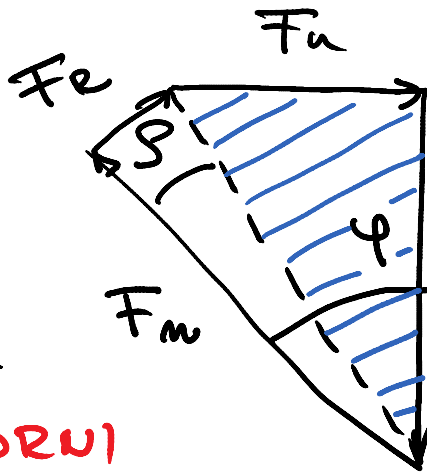
ENAČBI  
ZANEHARIMO

ČADŽIUTEMO, DA  
SE VIJAZ SAM  
NE ↓

ODVIJE



NESAMOVAPOZNI  
VIJAZ  $\varphi > \rho$

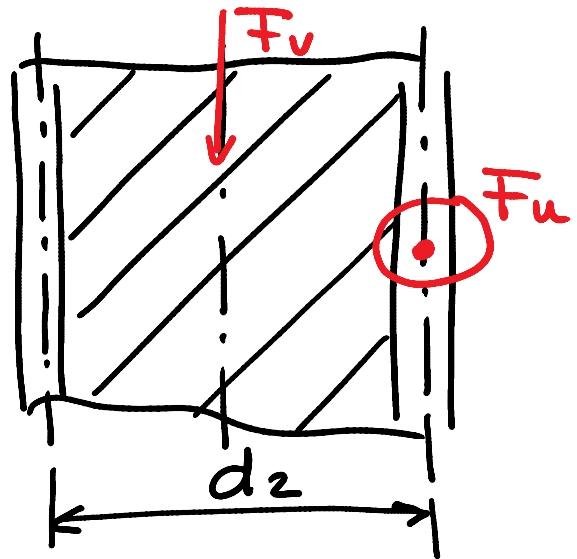


$$\operatorname{tg}(\varphi - \rho) = \frac{F_u}{F_v}$$

$$M_G = F_u \cdot \frac{d_2}{2}$$

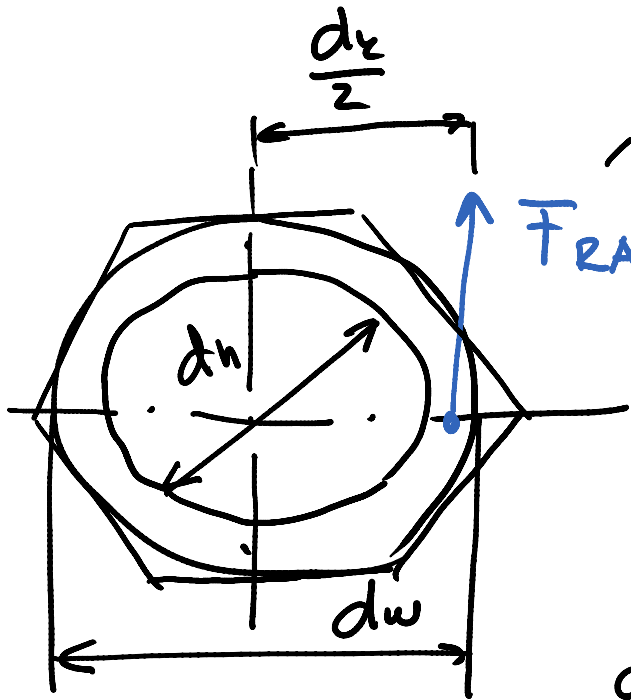
$$= F_v \cdot \frac{d_2}{2} \operatorname{tg}(\varphi \pm \rho)$$

MOMENT TRENJA  
MED NAVOJI



STEBLO VI AKA  
V PRESEŽJU

$$M_G = F_u \frac{d_z}{2}$$



SILA TRENJA  
MED MATICO IN  
SPENJALNIMI  
DELI

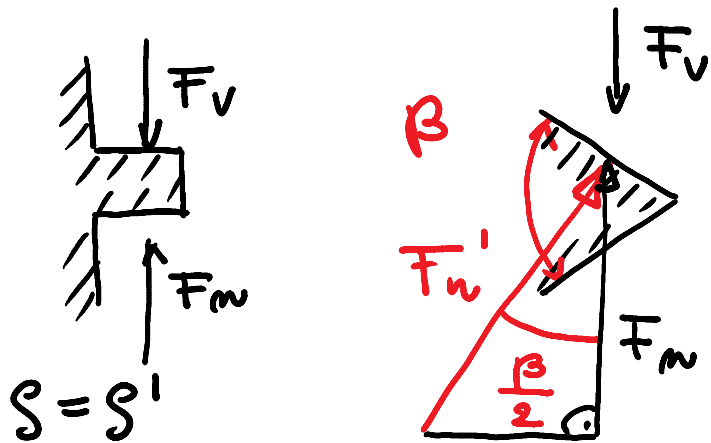
$$M_{RA} = F_{RA} \cdot \frac{d_z}{2}$$

$$F_{RA} = F_u \cdot \mu$$

$$d_z = \frac{d_w + d_n}{2}$$

$M_{RA}$  MOMENT TRENJA MED MATICO  
IN SPENJALNIMI DELI

# UPLIV VRSTE NAUOJA NA $M_G$



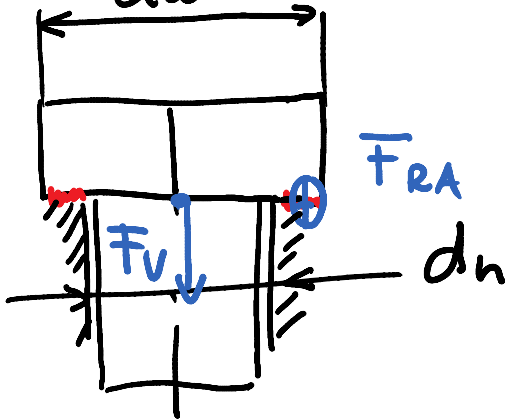
$$F_R = \mu \cdot F_{N'} = F_m \cdot \frac{\mu}{\cos \frac{\beta}{2}}$$

$$F_m = F_{N'} \cos \frac{\beta}{2} \quad \mu'$$

$$\tan \phi' = \mu' > \mu$$

$$M_G = \frac{F_v \cdot d_z}{2} \tan(\varphi \pm \phi')$$

$\phi'$  UPOŠTEVA VRSTO NAUOJA



$$F_{RA} = F_v \cdot \mu$$

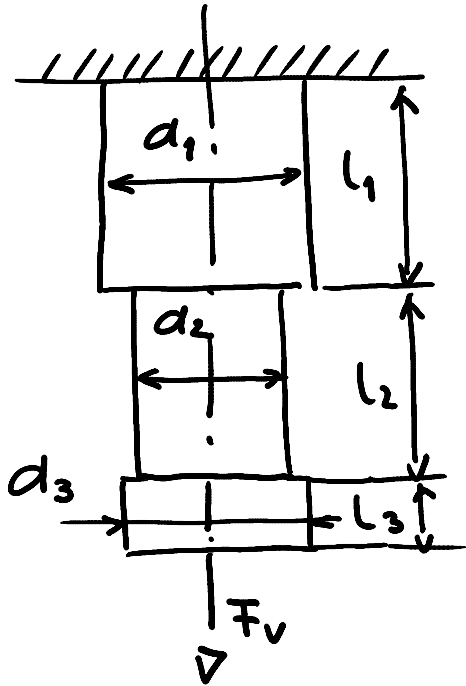
$$M_{RA} = \frac{F_{RA} \cdot d_k}{2} = \frac{F_v \cdot \mu \cdot d_k}{2}$$

$$d_k = \frac{d_w + d_n}{2}$$

MOMENT KLIJOČA  $M_R = M_G + M_{RA}$

MOMENT TRENJA MED MATICO IN SPENJALNIMI DELI

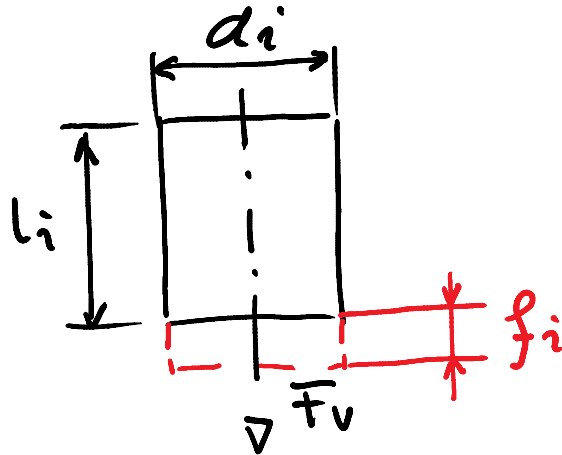
# PODAJNOST VIJAJKA



$$f_s = \sum_i f_i$$

$$= \sum_i \delta_i F_v$$

$$f_s = \delta_s F_v$$



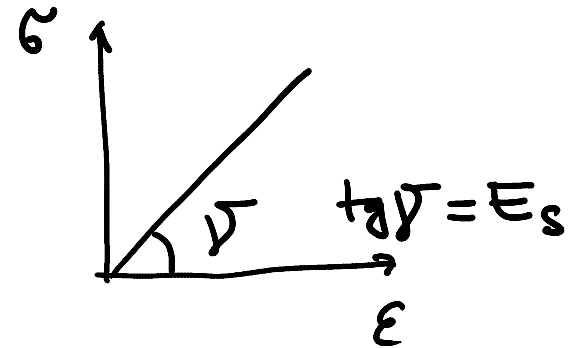
$$\sigma_i = E_s \epsilon_i$$

$$\frac{F_v}{A_i} = E_s \frac{f_i}{l_i}$$

$$F_v = \frac{E_s A_i}{l_i} f_i$$

$$f_i = \delta_i F_v$$

$$\sum_i \delta_i = \delta_s$$



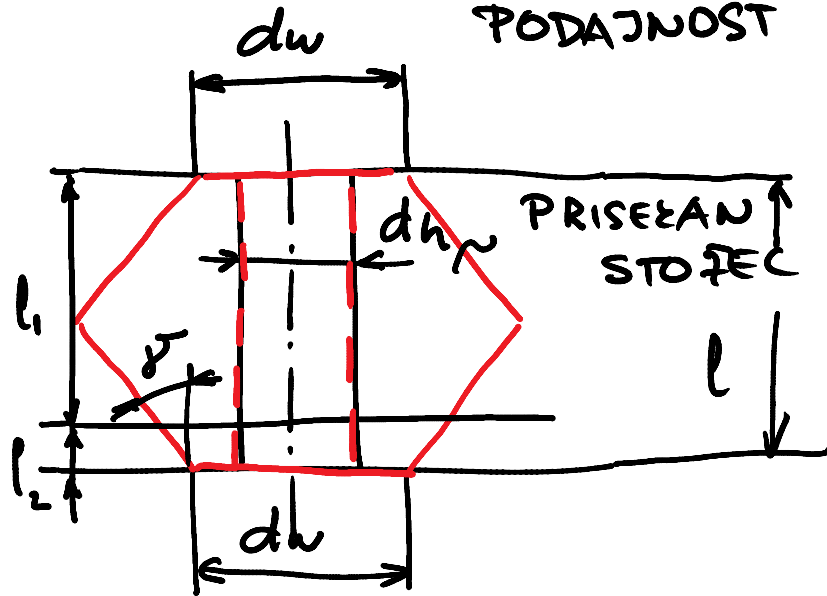
$$C_i = \frac{E_s A_i}{l_i}$$

TOGOST

$\delta_i = \frac{1}{C_i}$   
 PODAJNOST ALI  
 ELASTIČNOST

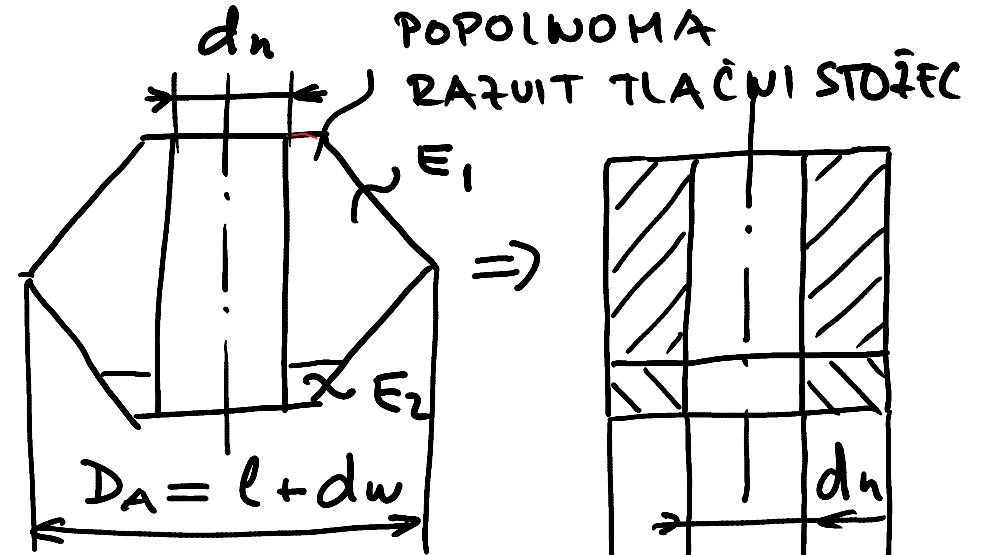


PODAJNOST SPENJALNIH DELOU

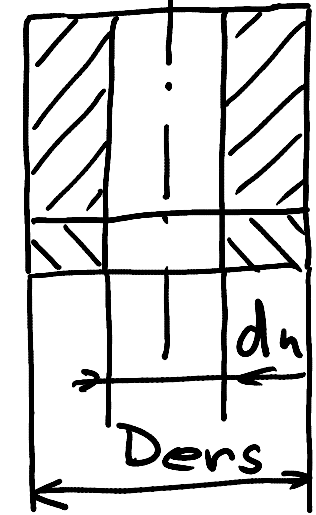


$\gamma \approx 45^\circ$

TLAČNI STOŽEC SE NE RAČUNJE  
VEDNO V POPOLNOSTI!



Ders IZRAČUNAMO  
EMPIRIČNO



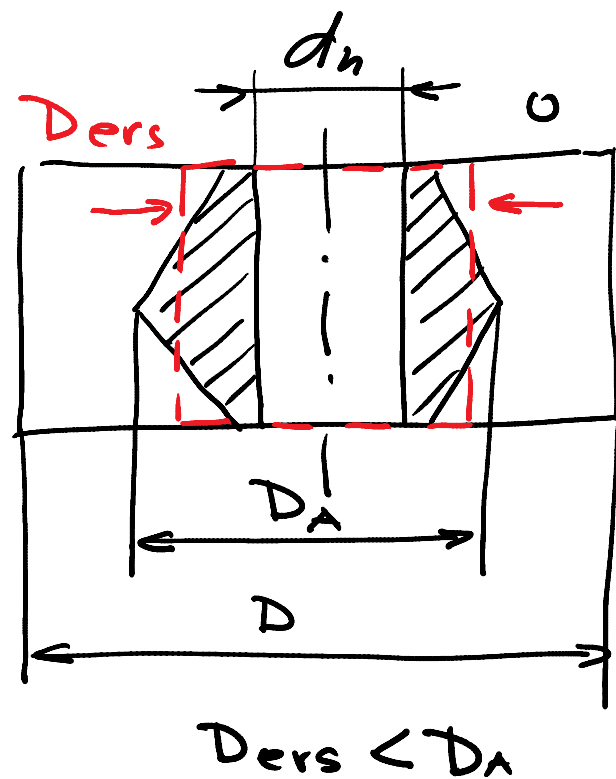
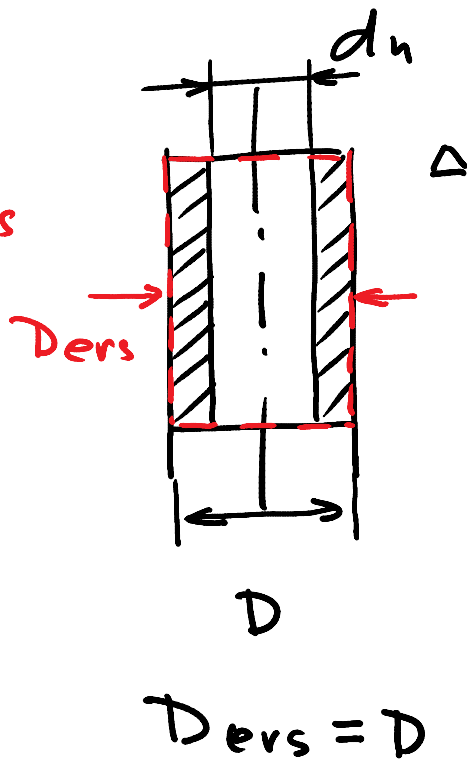
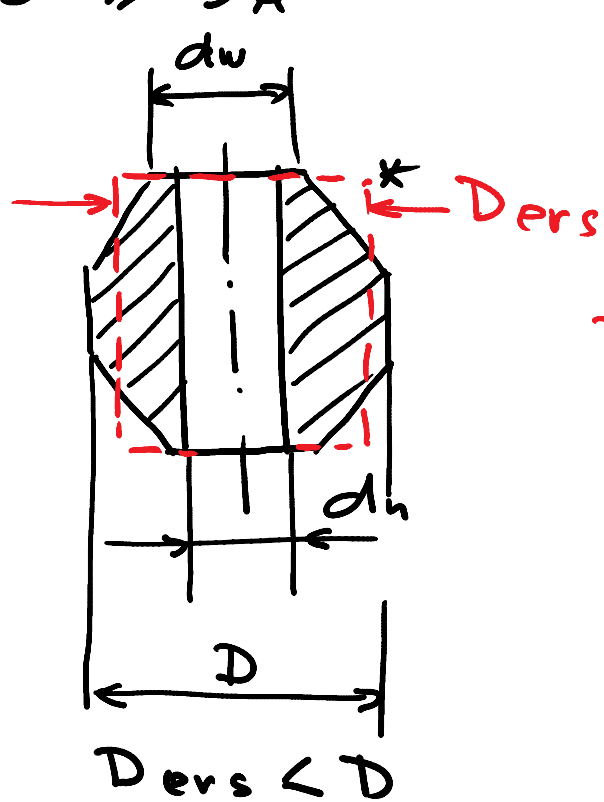
NADOMESTNI  
PREMER

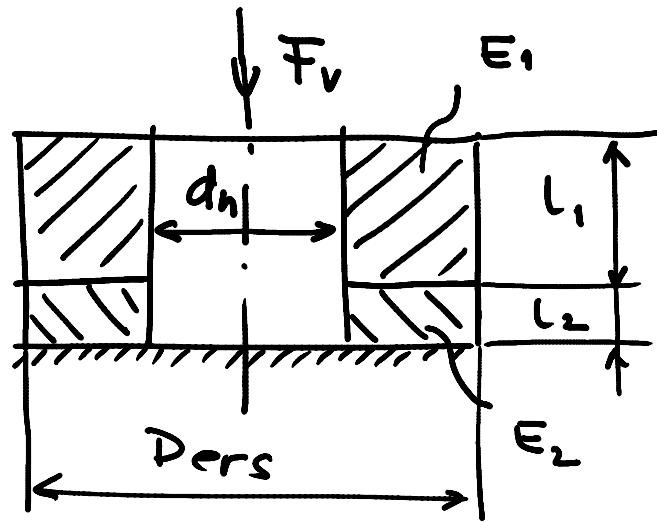
POGOD ZA TEŠEN SPOJ JE PREZIRVANJE  
TLAČNIH STOŽCEV!

$\Delta d_n < D \leq d_w \rightarrow$  IHAMO TLAČNI VALJ

\*  $d_w < D < D_A \rightarrow$  TLAČNI STOŽEC DELNO RAŽUIT

°  $D \geq D_A \rightarrow$  TLAČNI STOŽEC U CELOM RAŽUIT



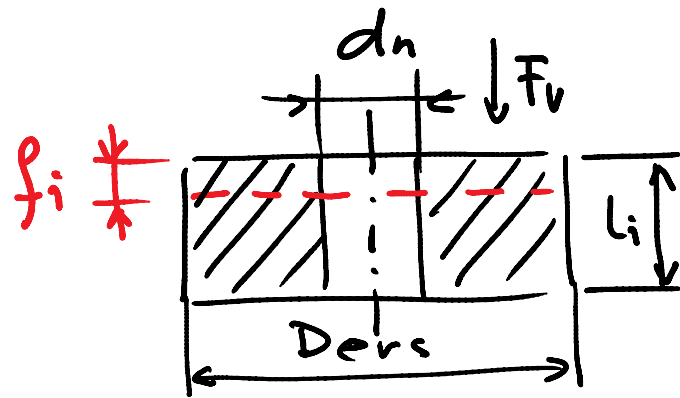


$$\sigma_i = E_i \epsilon_i$$

$$\frac{F_v}{A_{ers}} = E_i \cdot \frac{f_i}{l_i}$$

$$F_v = \frac{A_{ers} E_i}{l_i} f_i$$

$$\sum_i \sigma_i = \sigma_T$$

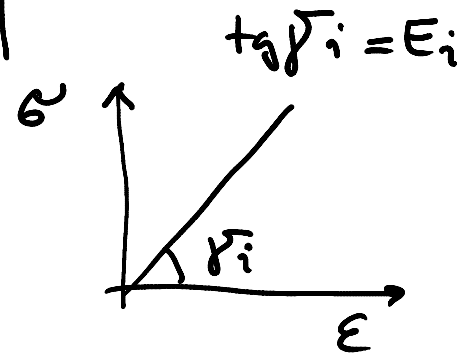


$$C_i = \frac{A_{ers} E_i}{l_i}$$

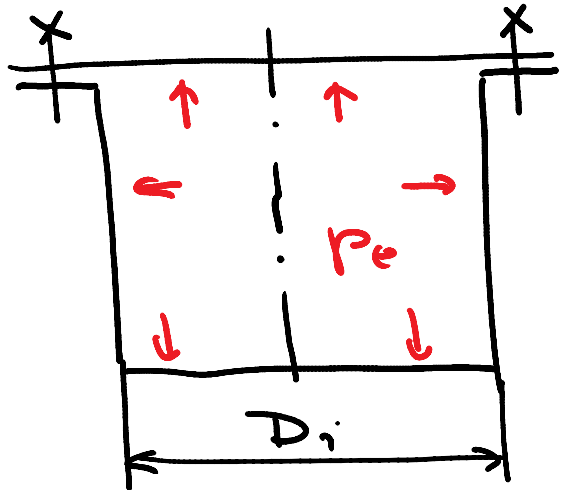
$$\sigma_i = \frac{1}{C_i} F_v$$

$$f_T = \sum_i \sigma_i F_v$$

$$f_T = \sigma_T F_v$$



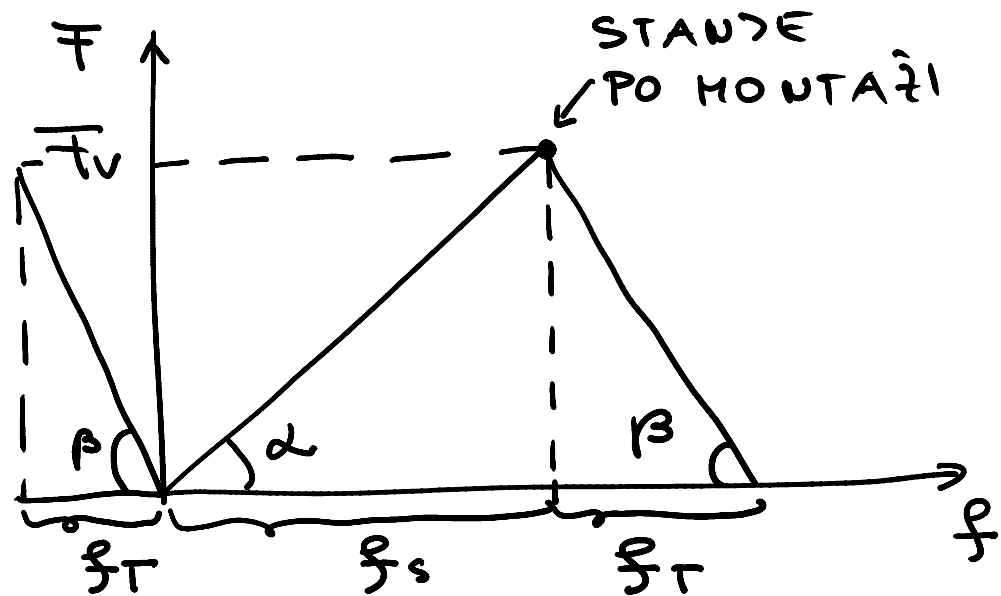
# SILE I DEFORMACIJE U PREDNAPETEM VIJAKU I VIJAKOVU



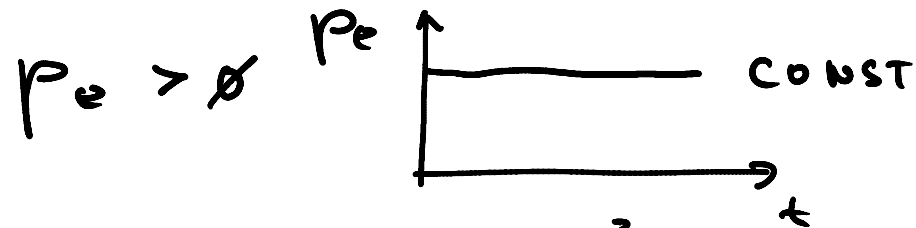
$$\operatorname{tg} \alpha = C_s = \frac{1}{\sigma_s}$$

$$\operatorname{tg} \beta = C_T = \frac{1}{\sigma_T}$$

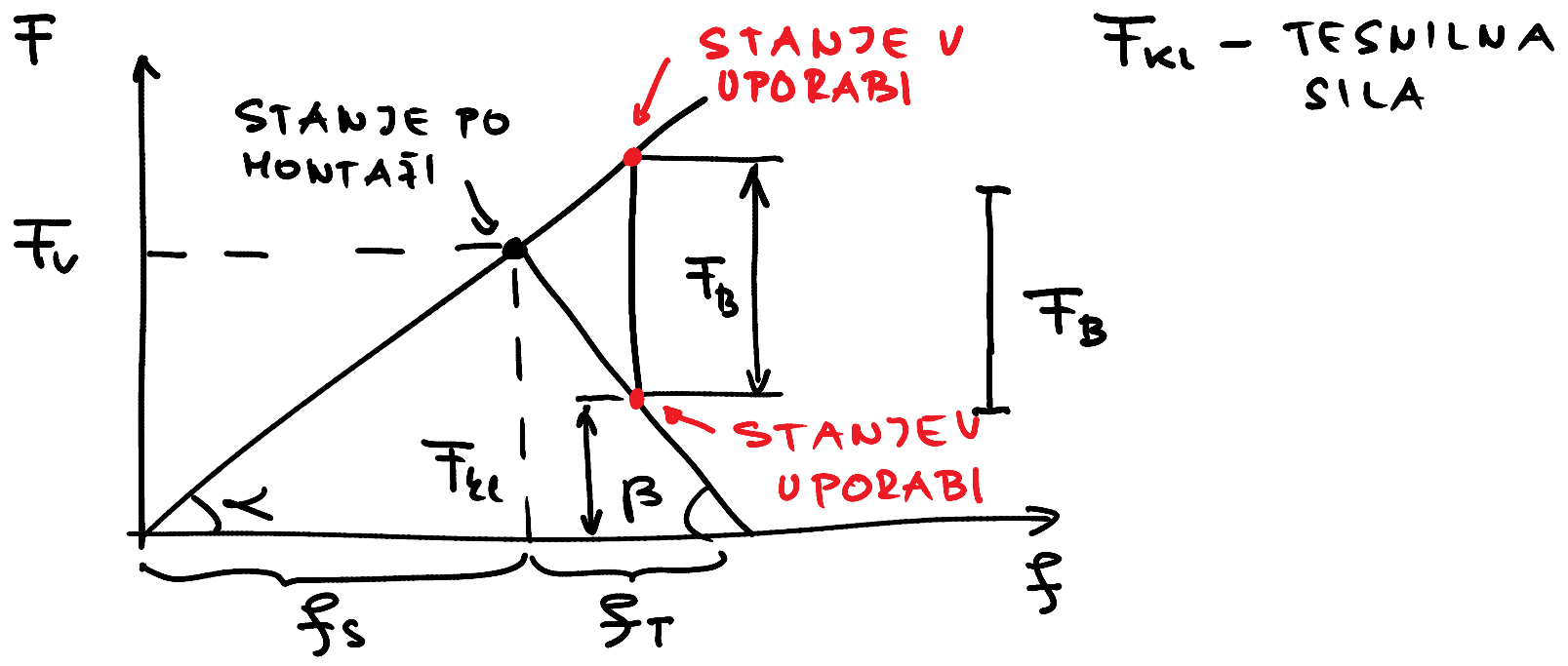
## MONTAŽA I PREDNAPETVANJE VIJAKOVU

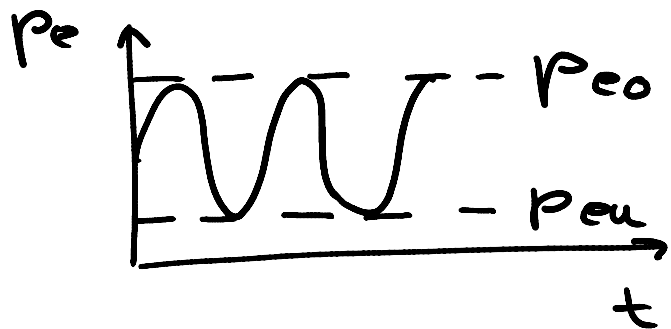


# UPORABA IN DELOVNA OBREHENITEV



$$\underbrace{\bar{F}_B \cdot z}_{\substack{\text{SILA NA} \\ \text{POROU}}} = p_e \cdot \frac{\pi D_i^2}{4} \rightarrow \bar{F}_B = \frac{p_e \pi D_i^2}{4 z} \quad \begin{array}{l} \text{DELOVNA} \\ \text{SILA} \end{array}$$





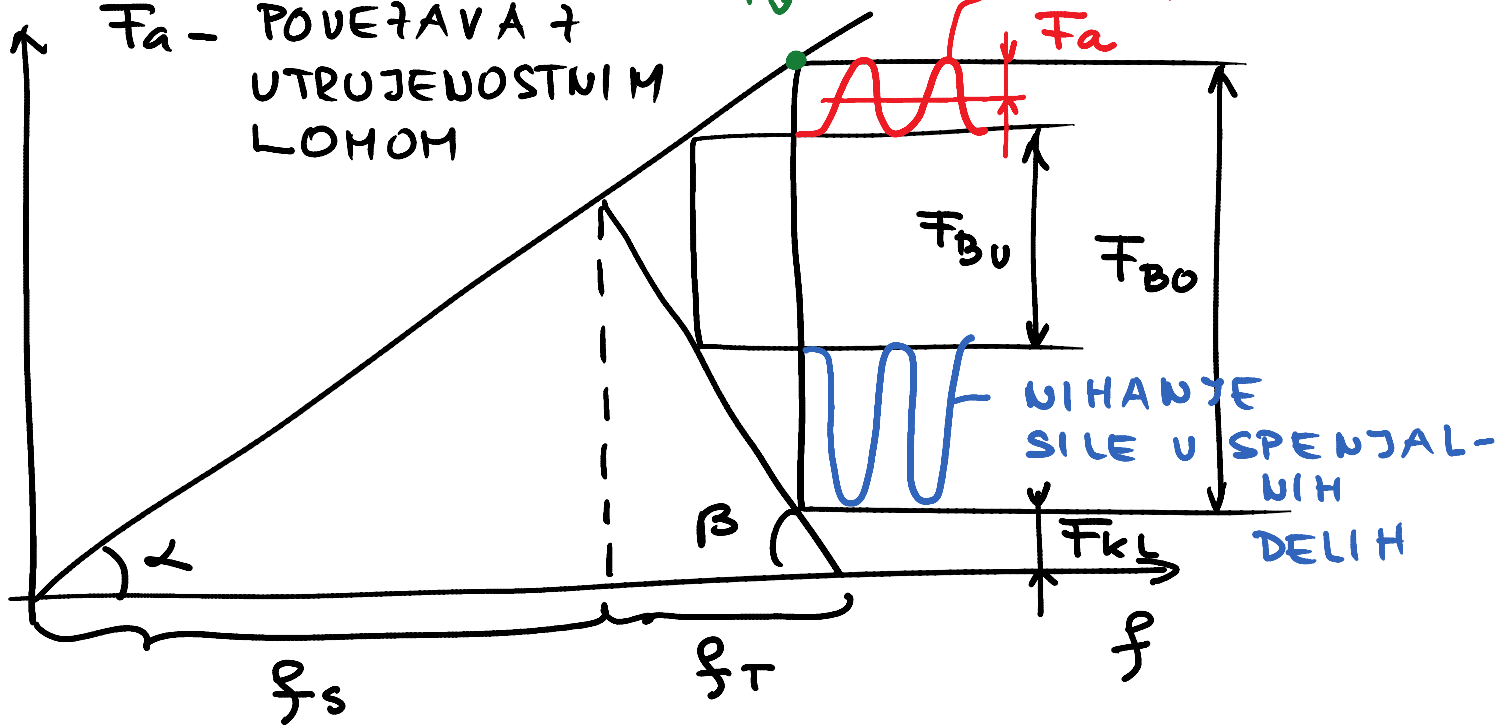
$F_{Bo}$  GORNJA DELOVA SILA

$F_{Bu}$  SPODNJA DELOVA SILA

POVEŽAVA S  
TRENUTNIM  
LOMOM ↓

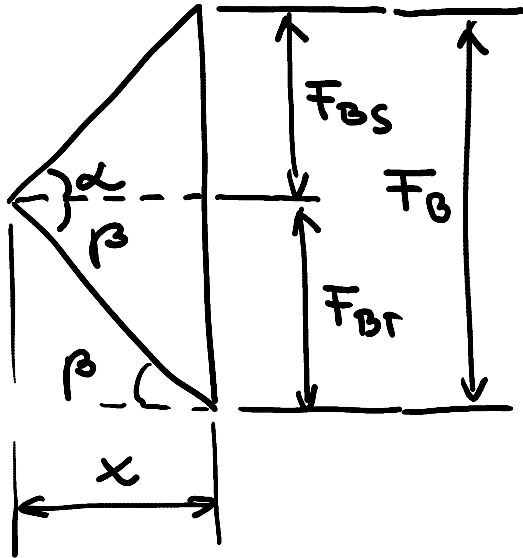
NIHANJE SILE  
U VIJAKU  
 $F_a$

$F$   
 $F_a$  - POVEŽAVA +  
UTRUJENOSTNIM  
LOMOM



RAZČLENITEV DELOVNE SILE  $F_B$  NA  $F_{Bs}$  IN  $F_{BT}$

↓ K2 RRP 2018



$$F_B = F_{Bs} + F_{BT}$$

$$\tan \alpha = \frac{F_{Bs}}{x} = C_s = \frac{1}{\delta_s}$$

$$\tan \beta = \frac{F_{BT}}{x} = C_T = \frac{1}{\delta_T}$$

$$x = F_{Bs} \delta_s = F_{BT} \delta_T$$

$$F_{BT} = F_{Bs} \cdot \frac{\delta_s}{\delta_T}$$

$$F_B = F_{Bs} \left( 1 + \frac{\delta_s}{\delta_T} \right) = F_{Bs} \frac{\delta_s + \delta_T}{\delta_T}$$

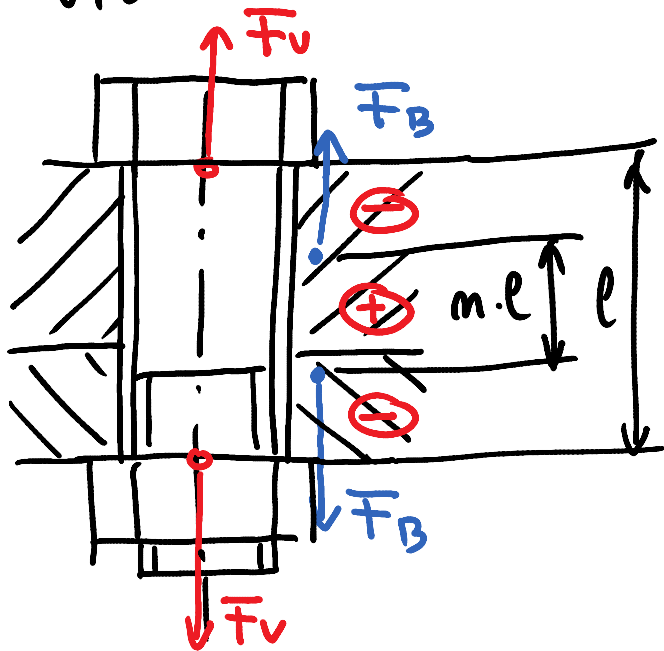
$$F_{Bs} = F_B \cdot \frac{\delta_T}{\delta_s + \delta_T} \quad ; \quad \Phi_k = \frac{\delta_T}{\delta_s + \delta_T} \quad \begin{array}{l} \text{RAZMERJE} \\ \text{SIL} \end{array}$$

$$F_{Bs} = \Phi_k F_B$$

$$F_{BT} = F_B (1 - \Phi_k)$$



# UPLIV PRIJEMALIŠČA DELOVNE SILE NA PREDNAPETI VIJAČNI SPOJ



$$F_{BS} = n \bar{\Phi}_z F_B$$

$\bar{\Phi} = n \bar{\Phi}_z$  ZARADERJE SIL Z UPOŠTEVANJEM PRIJEMALIŠČA DELOVNE SILE

$$F_{BT} = F_B (1 - \bar{\Phi})$$

$0 \leq n \leq 1$  ← SILA  $F_B$  PRIJEMLJE POD GLAVO VIJAČA IN MATICE  
 ↑  
 IDEALNO!

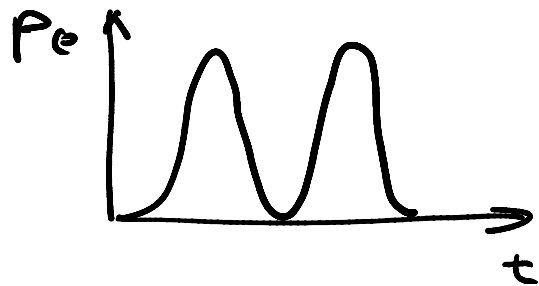
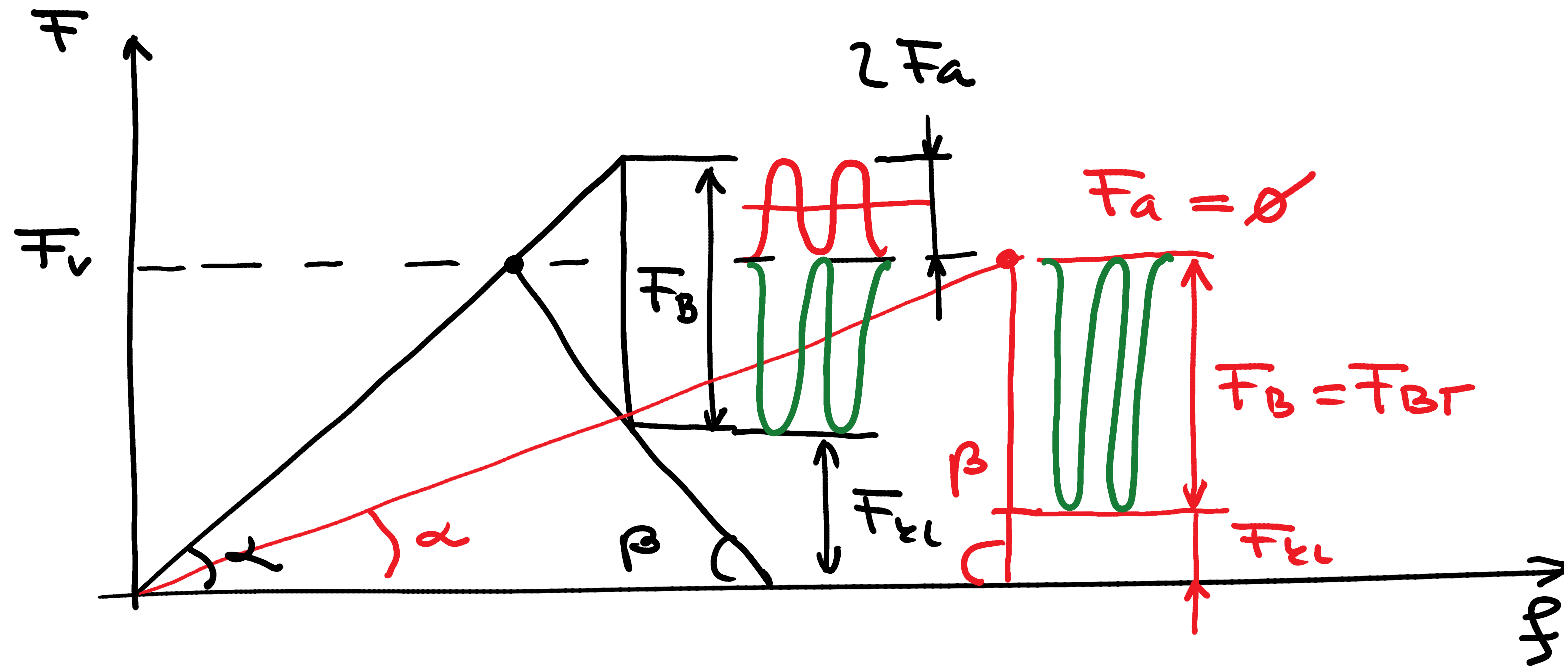
ČE JE  $n < 1$ , SE BO KOT  $\alpha$

ZMANJŠAL, KOT  $\beta$  PA POVEČAL GLEDĚ NA  $n = 1$ !

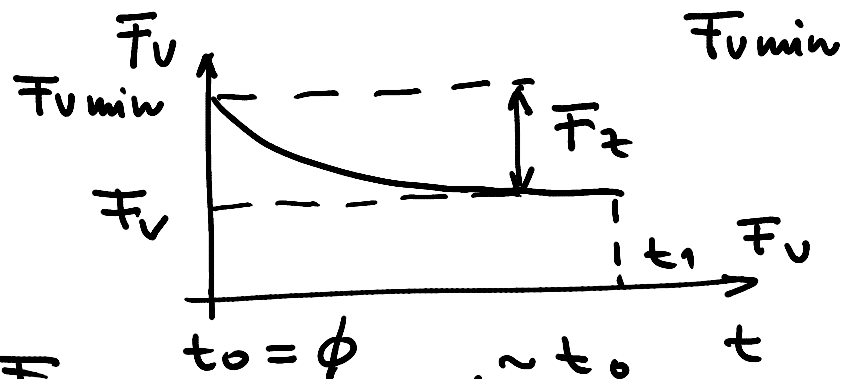
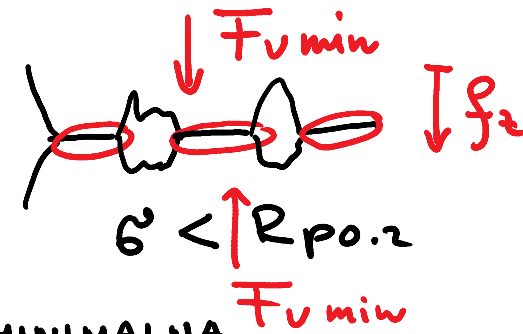
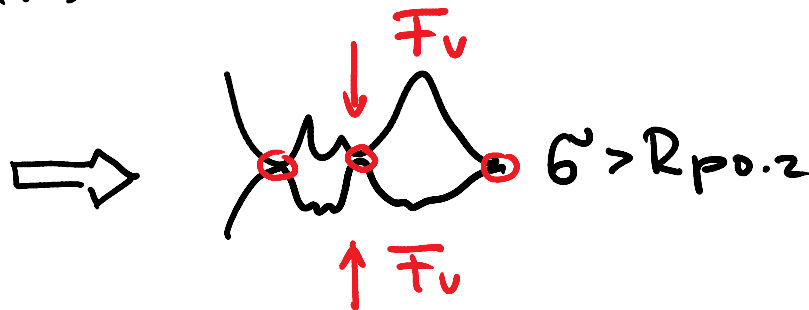
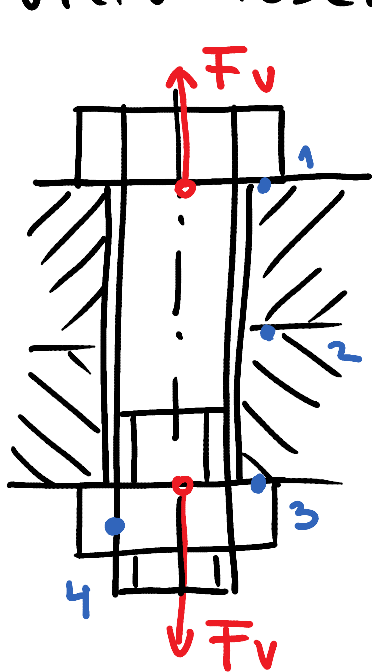
PRIMER

$n = 1$

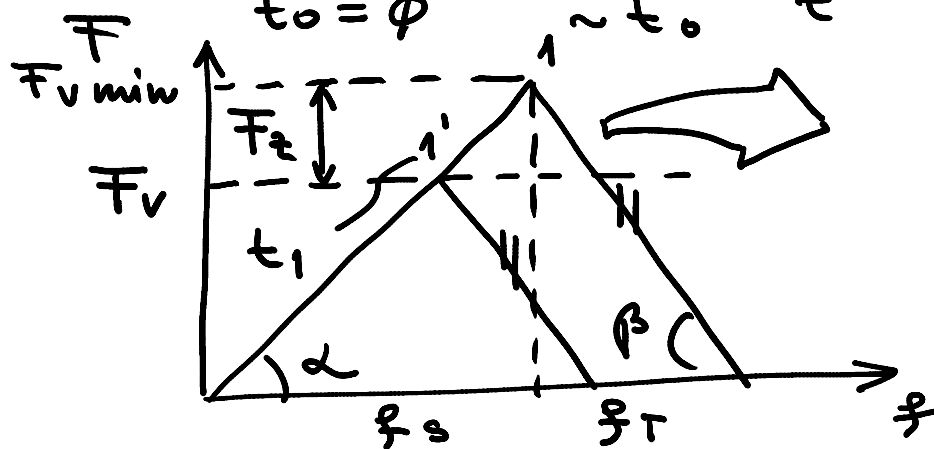
$n = \emptyset$

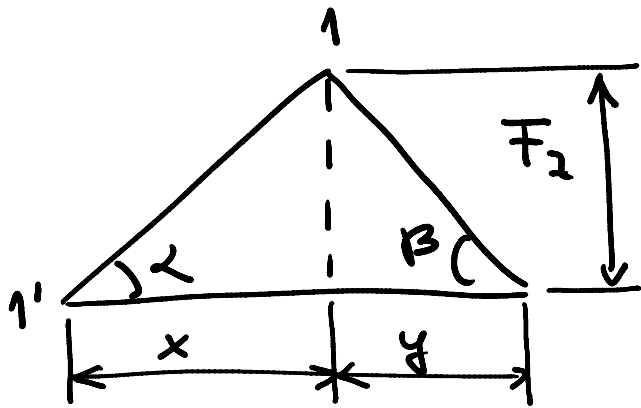


# VPLIV POSEDANJA PREDNAPETEGA VITAJNEGA SPOJA



HINIMALNA MONTAŽNA SILA PREDNAPETJA  
 TEORETIČNA SILA PREDNAPETJA





$$\tan \alpha = \frac{F_z}{x} = C_s = \frac{1}{\delta_s}$$

$$\tan \beta = \frac{F_z}{y} = C_T = \frac{1}{\delta_T}$$

$$x = \delta_s F_z$$

$$y = \delta_T F_z$$

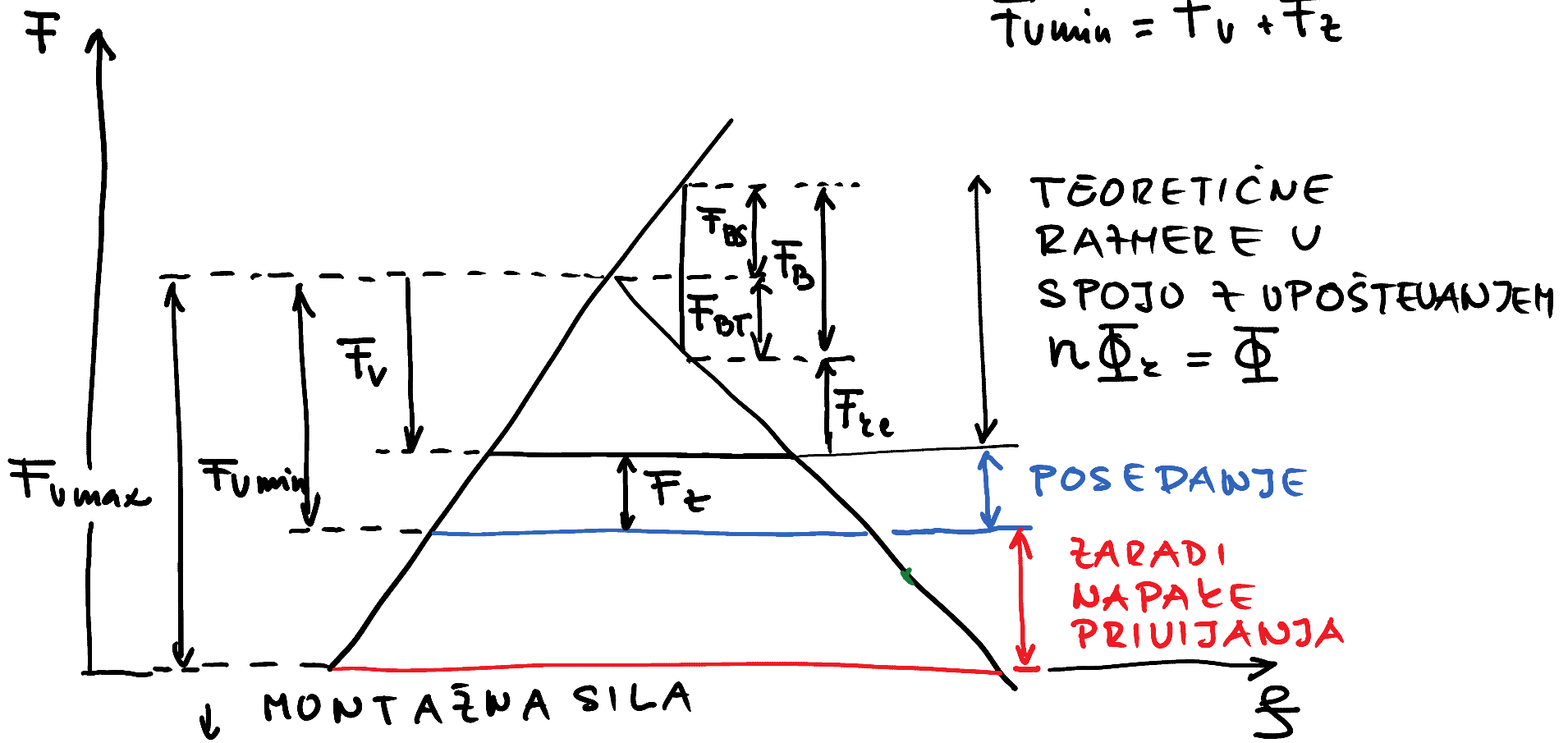
$$f_z = x + y = F_z (\delta_s + \delta_T)$$

$$f_z = f(R_z, \text{ST. KONTAKTNIH POUŠIWI})$$

$$F_z = \frac{f_z}{\delta_s + \delta_T}$$

# POTREBNA SILA PREDNAPETJA PRI MONTAŽI

$$\bar{F}_{\text{min}} = \bar{F}_v + \bar{F}_z$$



$$F_{VM} = F_{Umax} = (\bar{F}_v + \bar{F}_z) k_A \checkmark$$

PRIVIJALNA NAPRAVA

FAKTOR PRIVIJANJA

OBIČAJEN KLJUČ

2,5 ÷ 4,0

MOHENTNI KLJUČ

1,4 ÷ 2,5  $k_A$

HIDRAULIČNA

1,4 ÷ 1,6

S KONTROLO TASUŠA

1,2 ÷ 1,4

ULTRAČUČNA

1,05 ÷ 1,2

$$k_A = \frac{F_{Umax}}{F_{Umin}} - \begin{array}{l} \text{MAXIMALNA DOSEŽENA SILA PREDNAPETJA} \\ \text{MINIMALNA DOSEŽENA SILA PREDNAPETJA} \end{array}$$

ZO RAČUNAMO MOMENT KLJUČA, V ENAČBO TA

MOMENT KLJUČA ZA  $F_U$  VZAMEMO  $F_{Umax}$

ZA KOEFICIENT TRENJA PA MINIMALNO PRICĚA -

ČOVANO VREDNOST!

UREDNOTENJE PREDNAPETEGA VIJAČNEGA SPOJA  
NA DINAMIČNO NOSILNOST

$$\sigma_a = \frac{F_a}{A_s} \leq \sigma_A$$

NA SILO PREDNAPETJA

$$\sigma = \frac{F_{VM}}{A_s}$$

$$\tau = \frac{M_a}{W_{ps}}$$

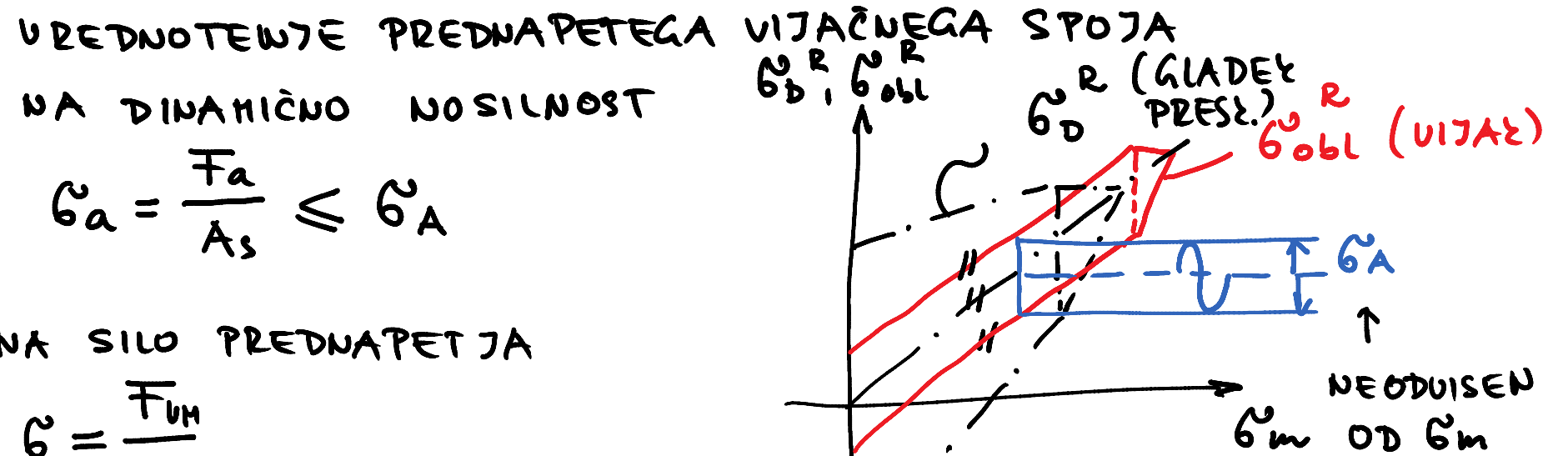
$$M_a = f(F_{VM})$$

$$\sigma_v = \sqrt{\sigma^2 + 3\tau^2}$$

$$\leq 0,9 R_{p0,2}$$

↑ ČE JE = POTEM

LAHKO DOLOČIMO SILO PREDNAPETJA  $F_{sp}$   
KI ŽAGOTAVLJA  $\sigma_v = 0,9 R_{p0,2}$



NA DODATNO SILO U VIJAZU

$$F_{Bs} = \bar{\Phi} F_B \leq 0.1 R_{po.2} A_s$$

$$\bar{\Phi} = n \bar{\Phi}_z$$

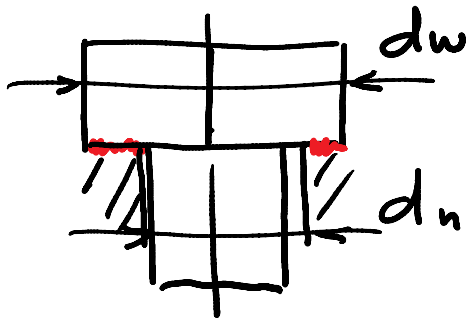
NA MAKSIMALNO MOŽNO SILO U VIJAZU

$$\sigma_v = \sqrt{\sigma^2 + 3(k\tau\sigma)^2} \leq R_{po.2}$$

$$\sigma = \frac{F_{sp} + F_{Bs}}{A_s} \quad \tau = \frac{M_a = f(F_{sp})}{W_{ps}}$$

$k\tau = 0,5$  UPOŠTEVA ZMANJSANJE  $M_a$  ZARADI POSEPNJA

NA TLA Z



$$p = \frac{F_{sp} + F_{Bs}}{A_p} \leq p_{dor}$$

$$A_p = \frac{\pi}{4} (d_w^2 - d_n^2)$$